



DUNLAP INSTITUTE  
*for* ASTRONOMY & ASTROPHYSICS



CITA  
ICAT  
Canadian Institute for  
Theoretical Astrophysics  
L'Institut Canadien  
d'astrophysique théorique

# Forecasts for $z=3.35$ intensity mapping with the Ooty Wide Field Array

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*CITA/Dunlap Institute, Toronto & NCRA-TIFR, Pune*

14-Dec-2017, SALF-IV, Sydney

# The OWFA group

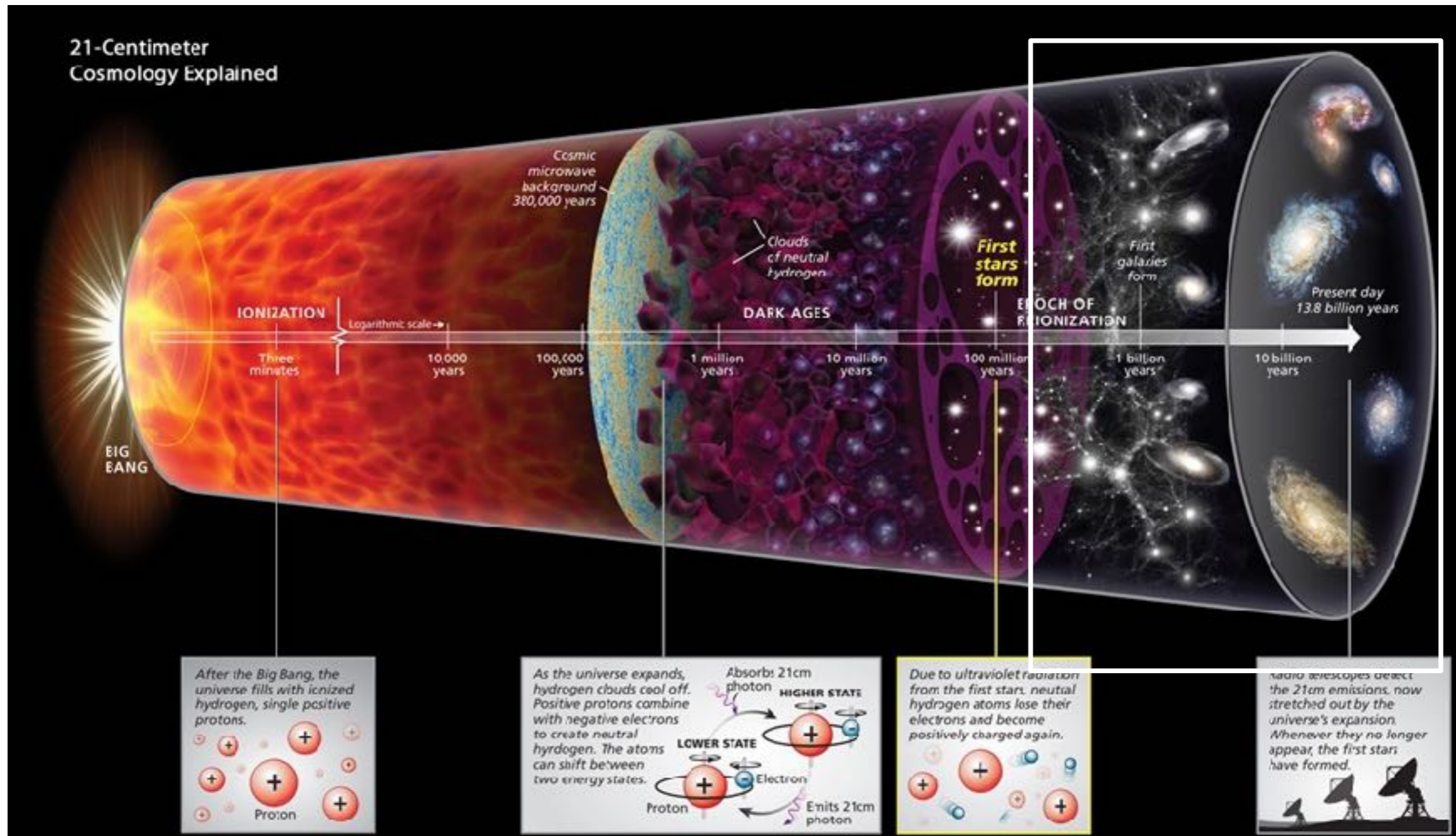


C R Subrahmanya  
Jayaram Chengalur  
P K Manoharan  
Somnath Bharadwaj  
Jasjeet Bagla  
Saiyad Ali

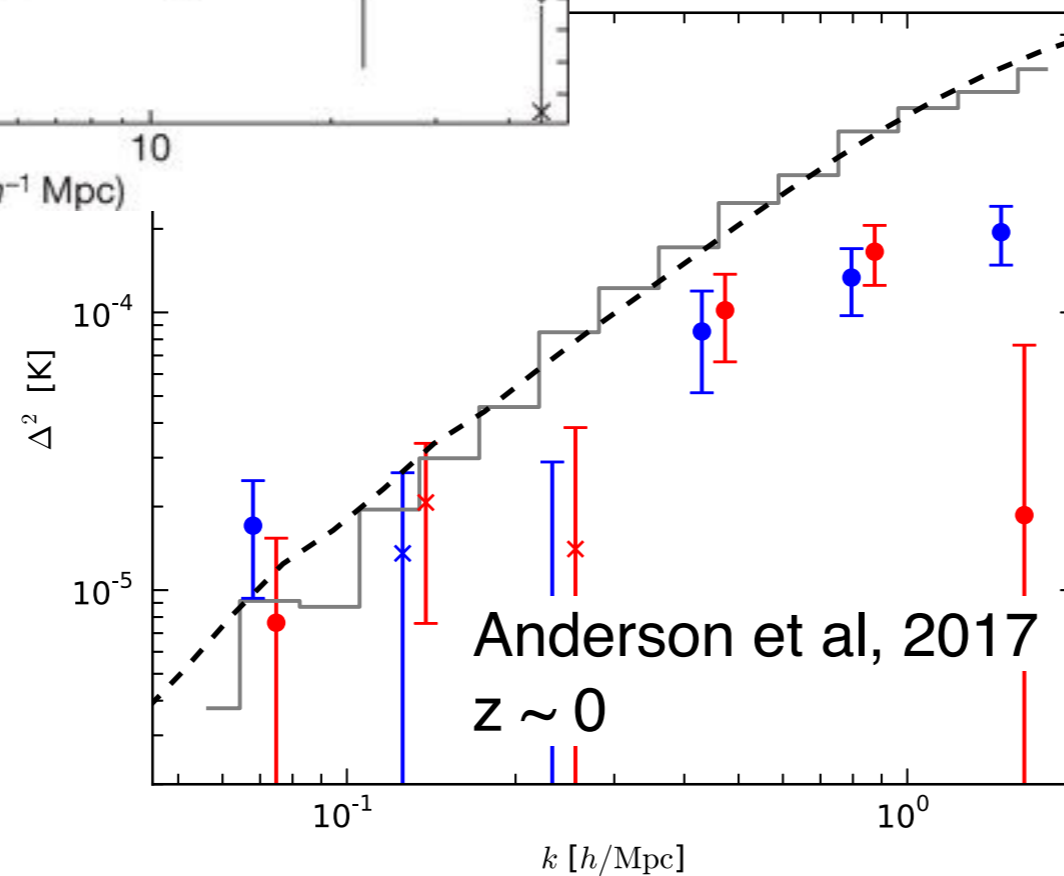
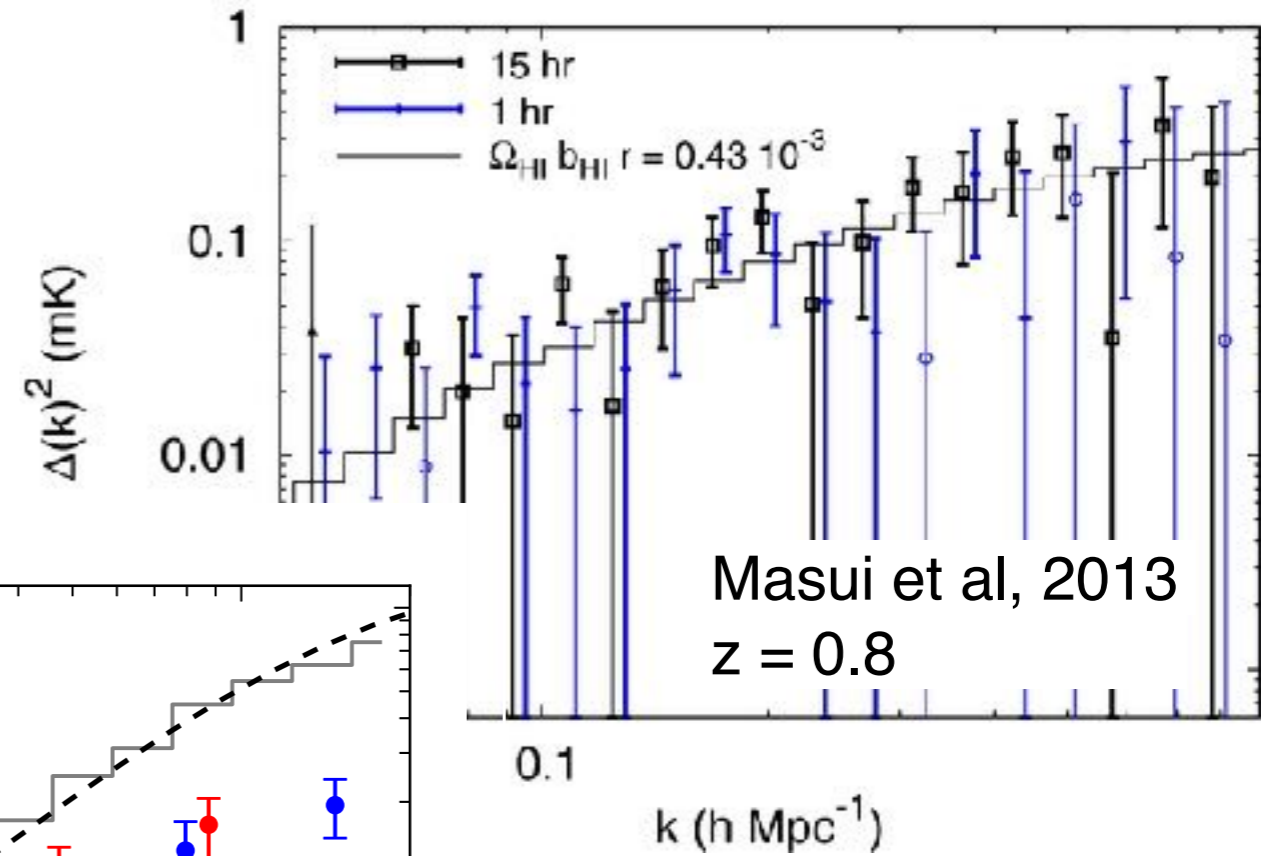
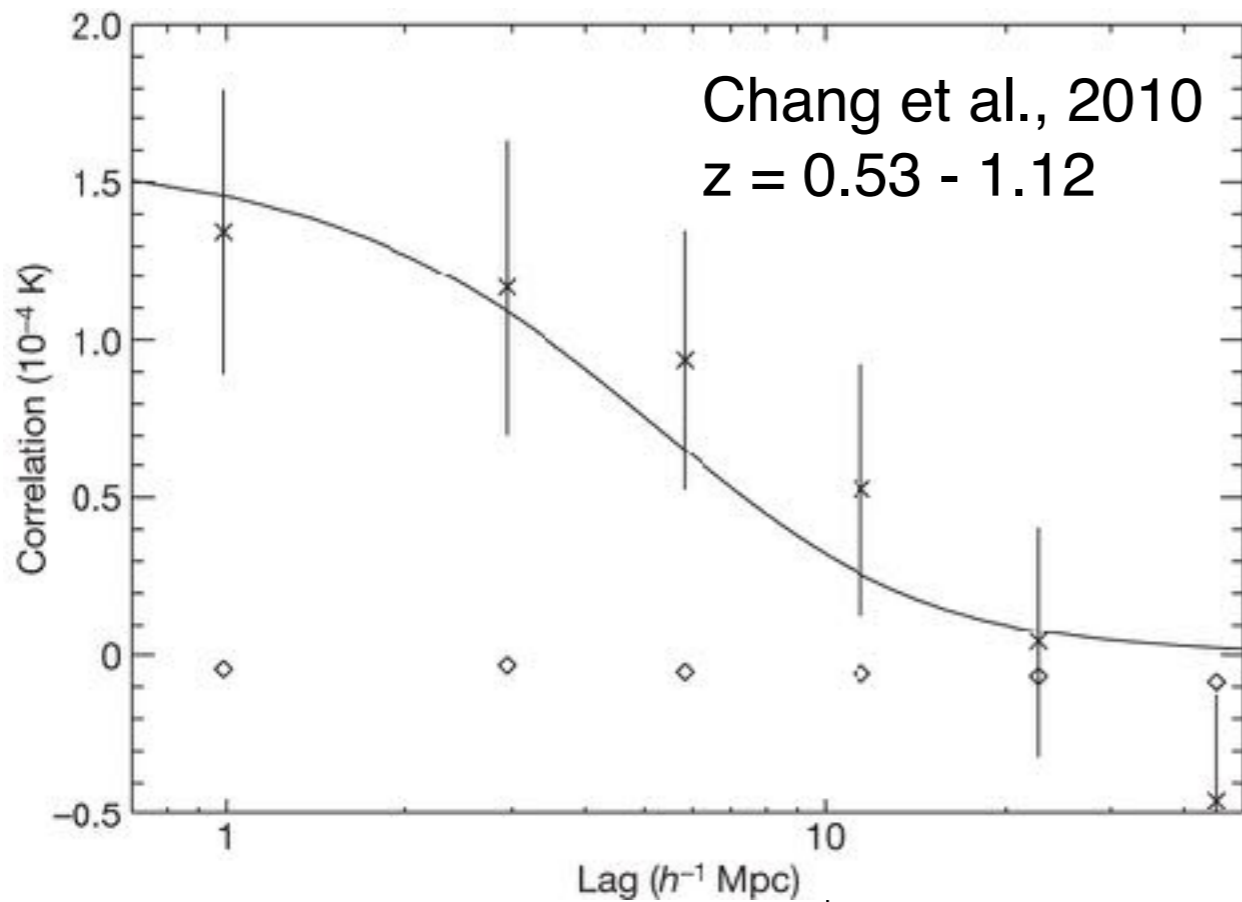
Viswesh Marthi  
Suman Chatterjee  
Anjan Sarkar  
Debanjan Sarkar  
Apurba Bera  
Siddhartha B.

Peeyush Prasad  
Ramu Yadav  
Amit Mittal  
and  
Industry partners,  
ORT engineers

# HI in the Large Scale structure



# State-of-the-art



# Upcoming 21-cm IM experiments

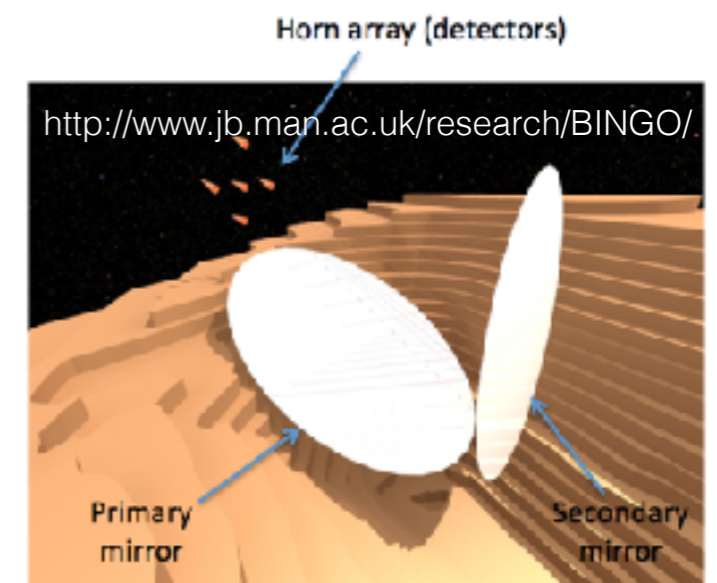
## HIRAX



## CHIME



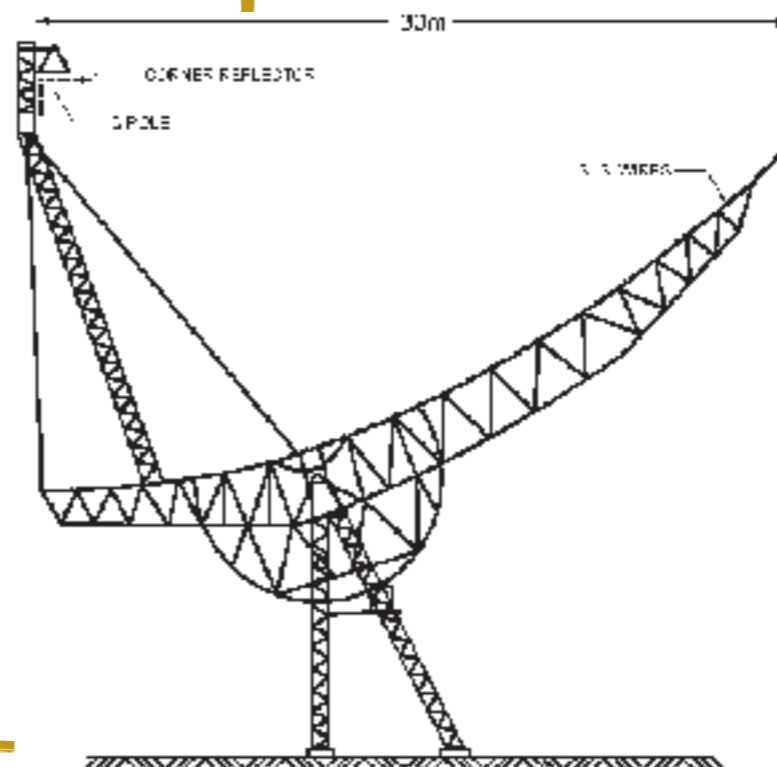
## Tianlai CRT



## BINGO

# The Ooty Wide Field Array

- Upgrade to the Ooty Radio Telescope (ORT)
- 530m X 30m, 1056 dipoles
- Operates at 327 MHz, mostly IPS and pulsars
- Located on a hill, 11° slope
- Equatorial mount
- EW mechanical, NS electronic



# The Ooty Wide Field Array

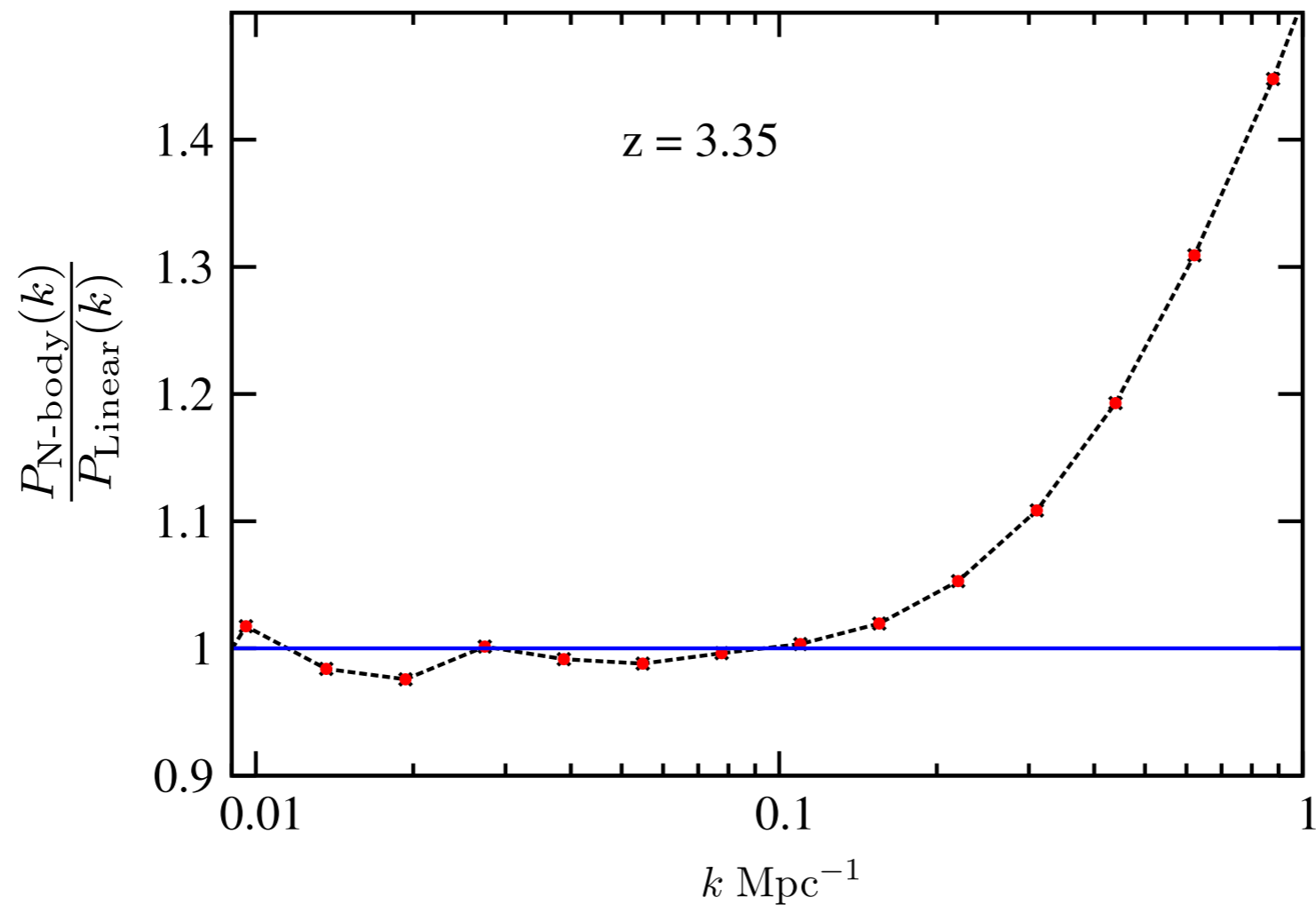
- **Phase-II** : FoV =  $28^\circ \times 2^\circ$  264 antennas
- **Phase-I** : FoV =  $4.5^\circ \times 2^\circ$  40 antennas
- Bandwidth =  $\sim 35$  MHz
- $z = 3.35$  for HI
- $T_{\text{sys}} = 150$  K



**Subrahmanya, Manoharan &  
Chengalur, 2017  
Prasad & Subrahmanya, 2010**

# The Ooty Wide Field Array

Structure in transition from linear to non-linear

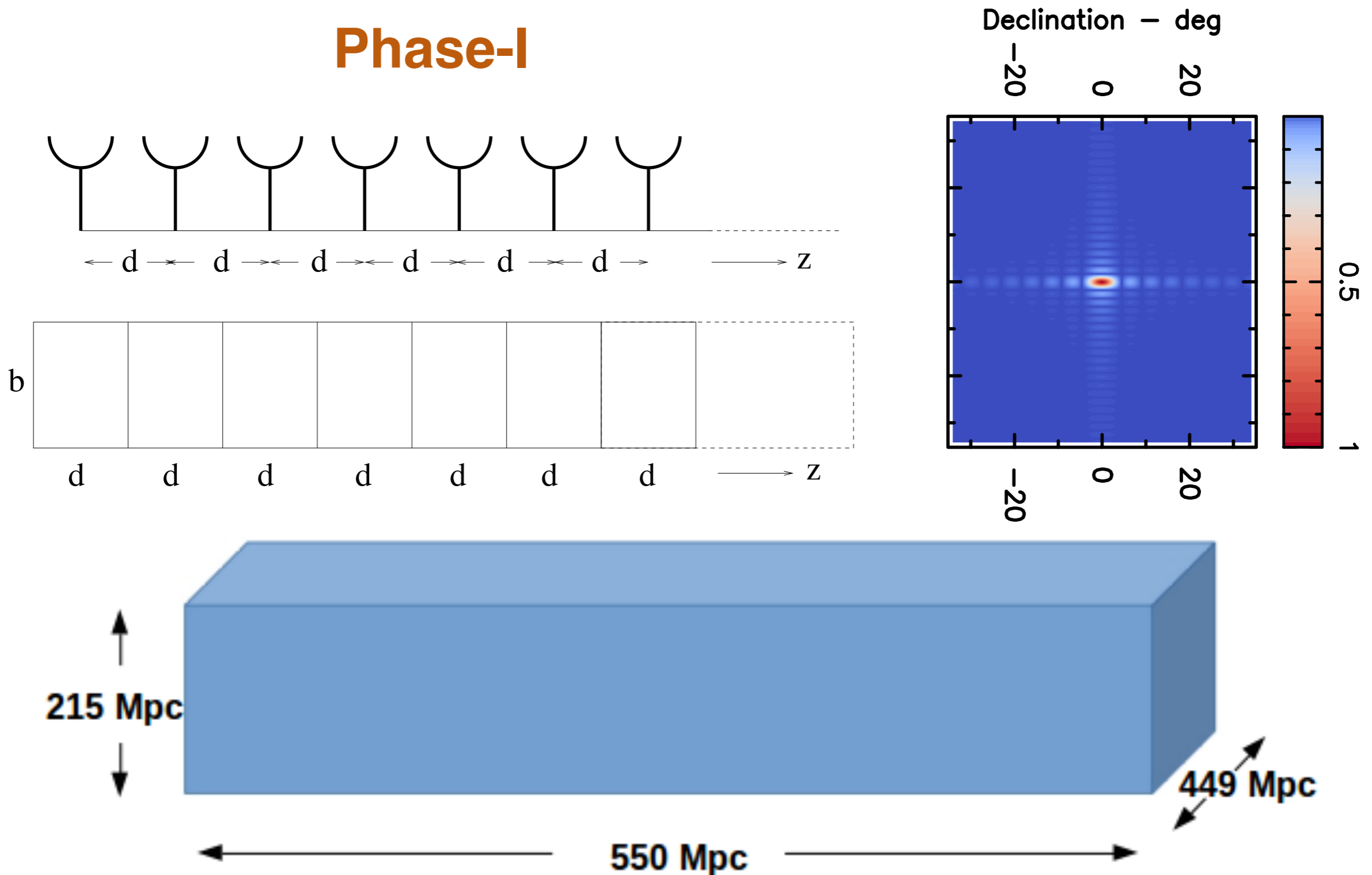


Chatterjee, Bharadwaj & Marthi 2017, JApA special issue

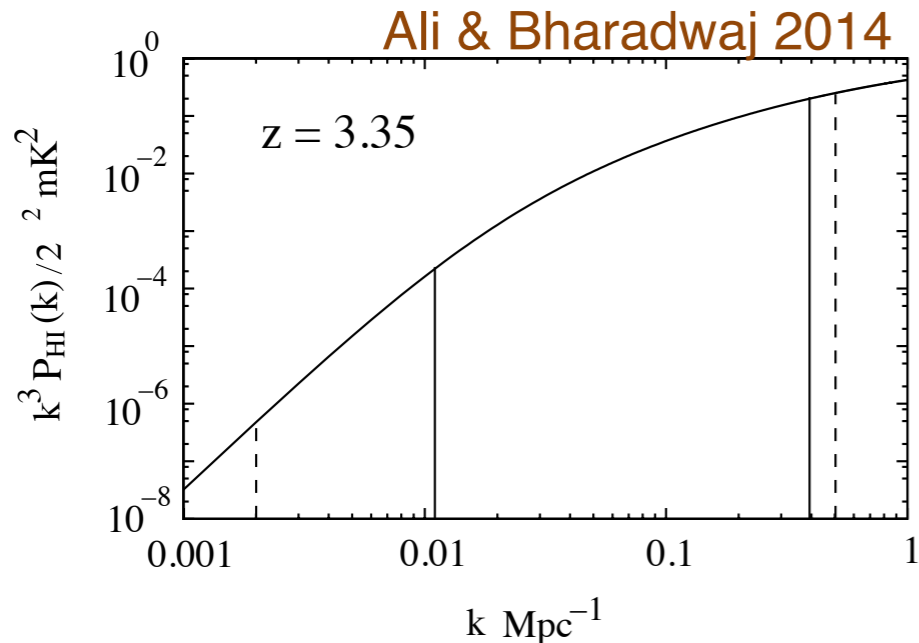


# The Ooty Wide Field Array

## Phase-I



# HI power spectrum forecasts



$$P_{\text{HI}}(\mathbf{k}, \mu) = b^2 \bar{x}_{\text{HI}}^2 \bar{T}^2 [1 + \beta \mu^2]^2 P(\mathbf{k})$$

$$\bar{T}(z) = 4.0 (1+z)^2 \left( \frac{\Omega_b h^2}{0.024} \right) \left( \frac{0.7}{h} \right) \left( \frac{H_0}{H(z)} \right) \text{ mK}$$

$$A_{\text{HI}} = \bar{x}_{\text{HI}} b_{\text{HI}} \quad \beta = f(\Omega)/b_{\text{HI}} \quad \mu = k_{\parallel}/k$$

Bharadwaj, Sarkar & Ali 2015  
Sarkar, Bharadwaj & Ali 2017

$$A_{\text{HI}} = 4.0 \times 10^{-2}$$

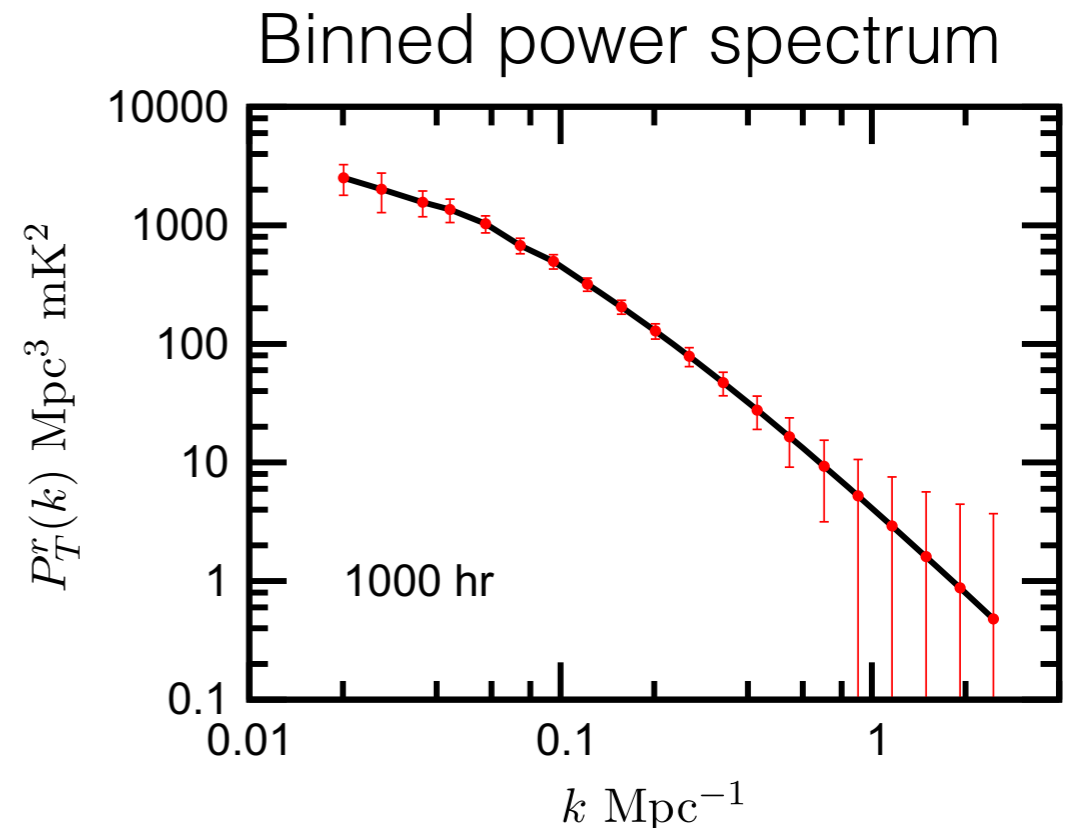
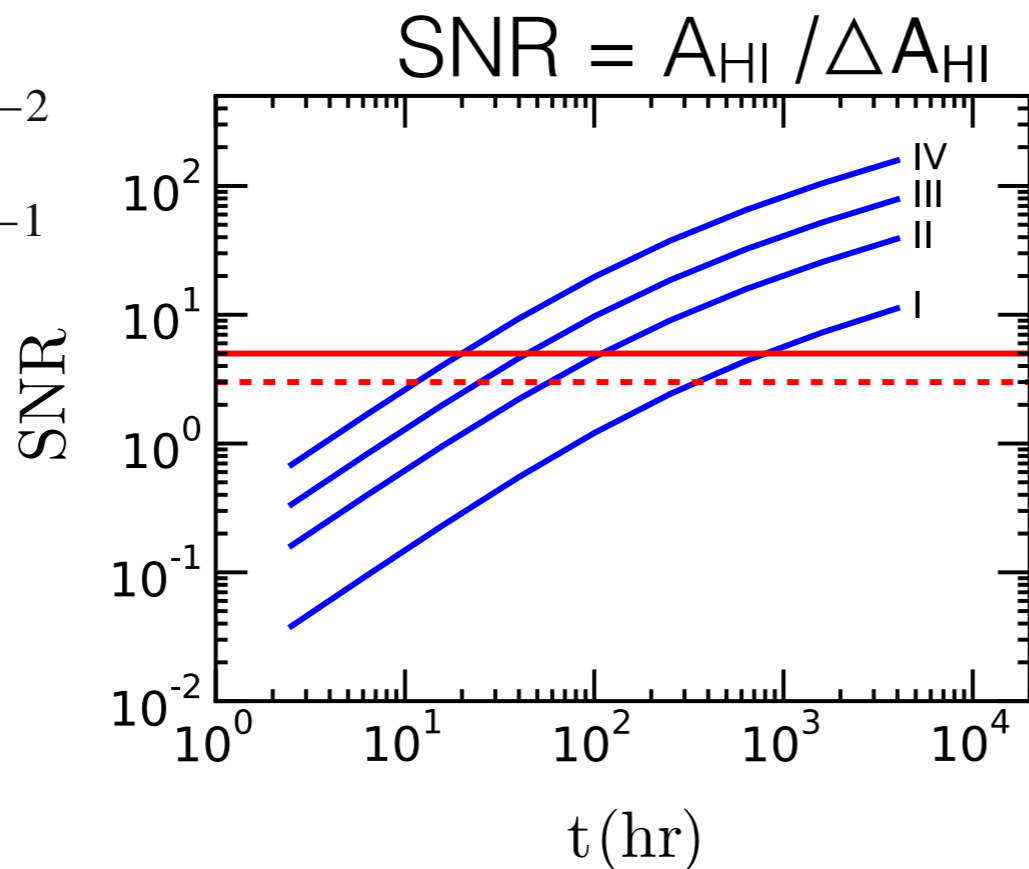
$$\beta = 4.93 \times 10^{-1}$$

$$\bar{x}_{\text{HI}} = 0.02$$

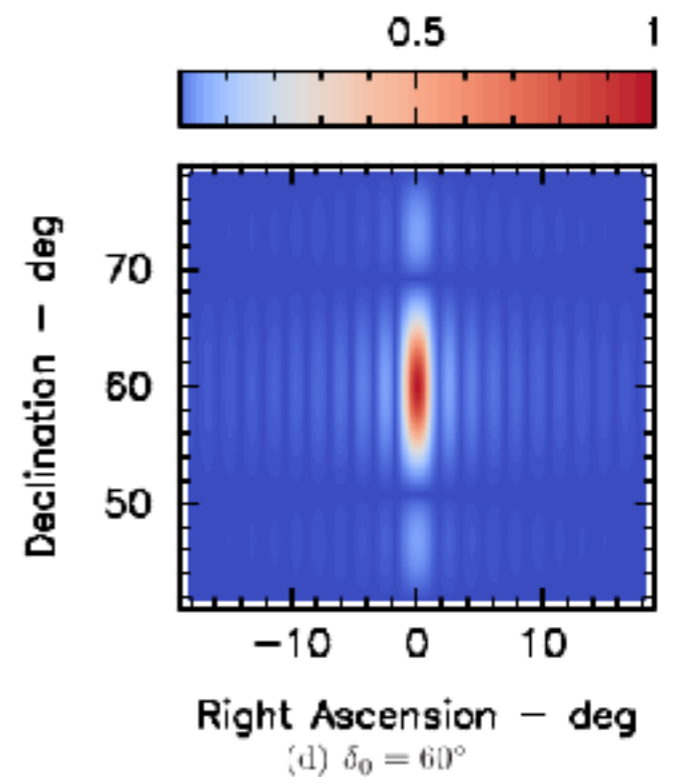
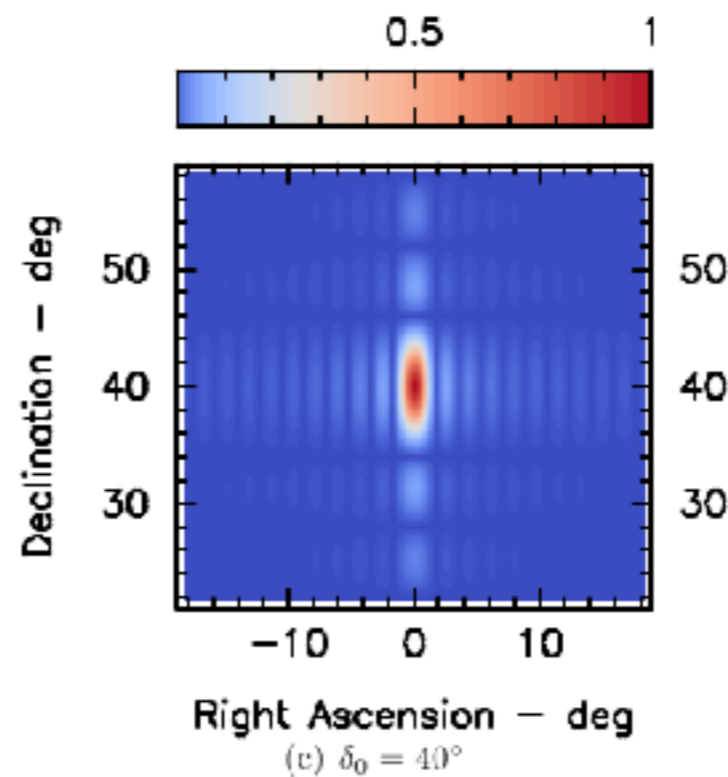
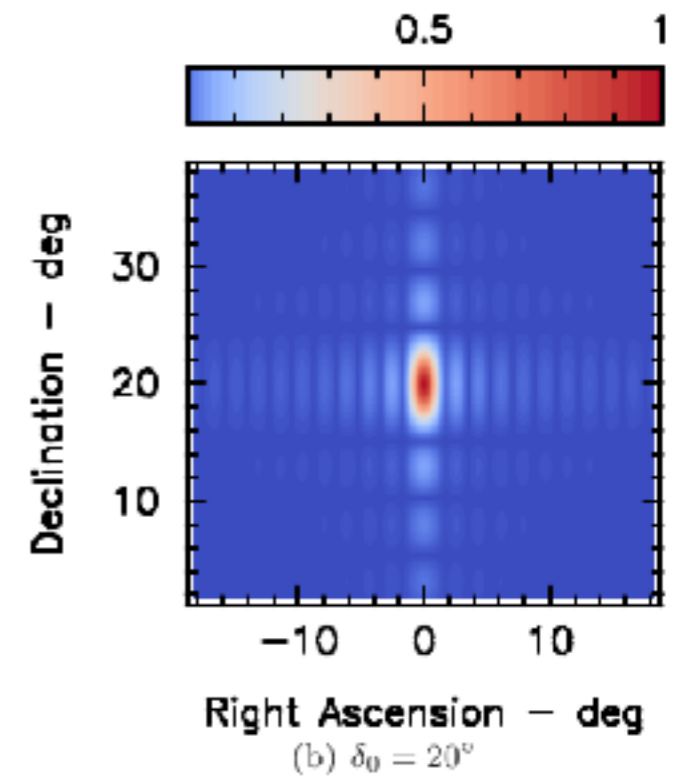
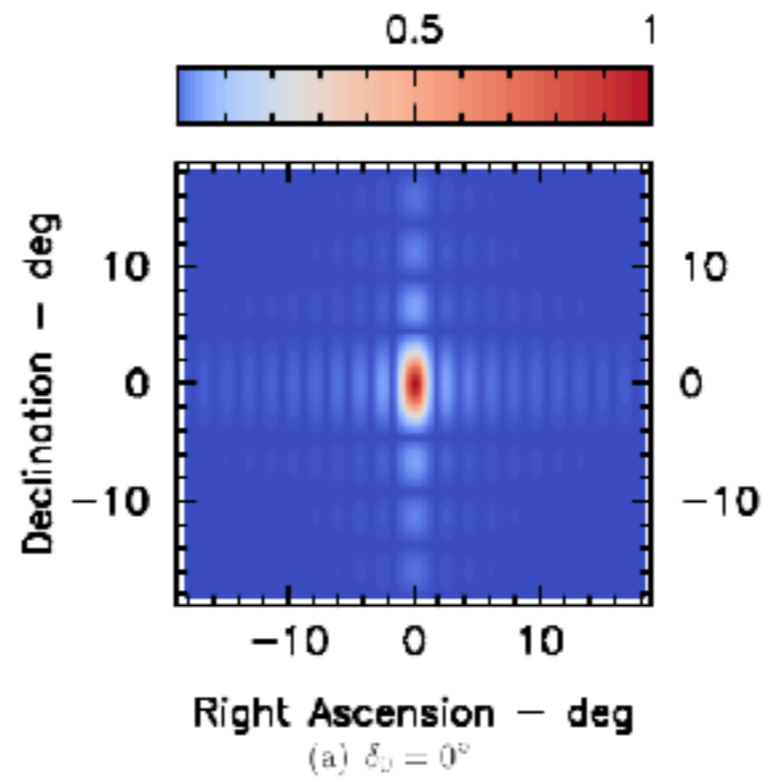
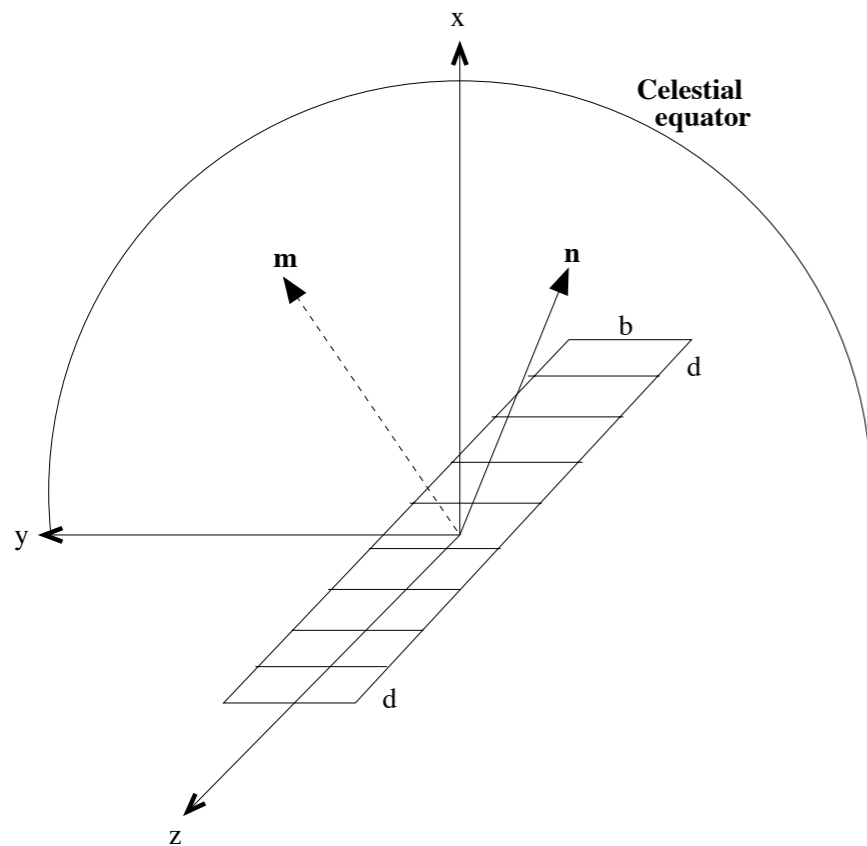
Zafar et al., 2013

$$b_{\text{HI}} = 2$$

Bagla et al., 2010



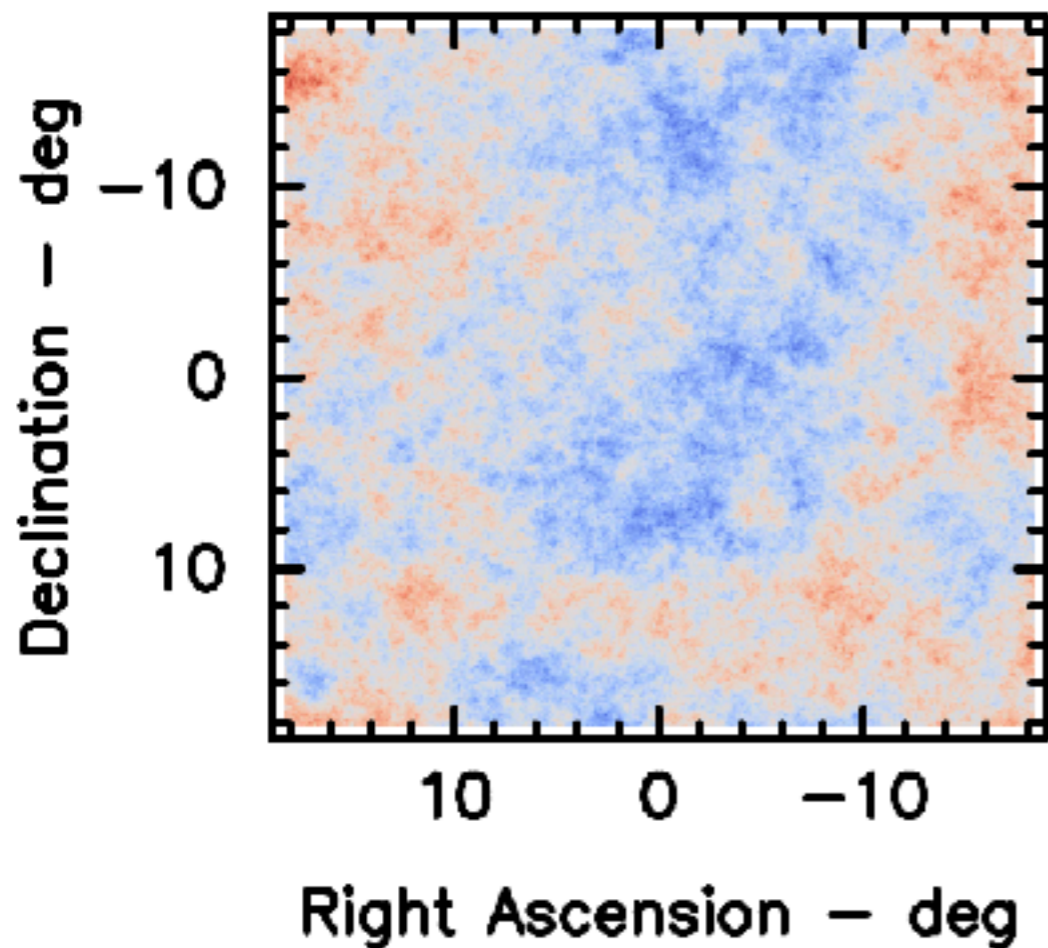
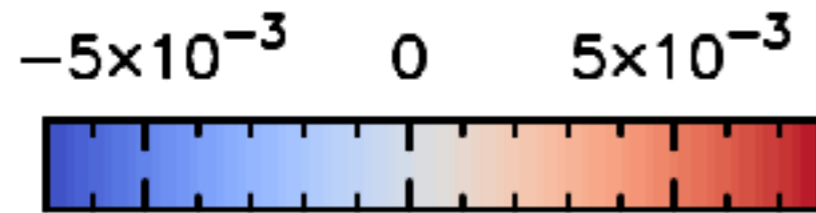
# Instrument and foreground simulations



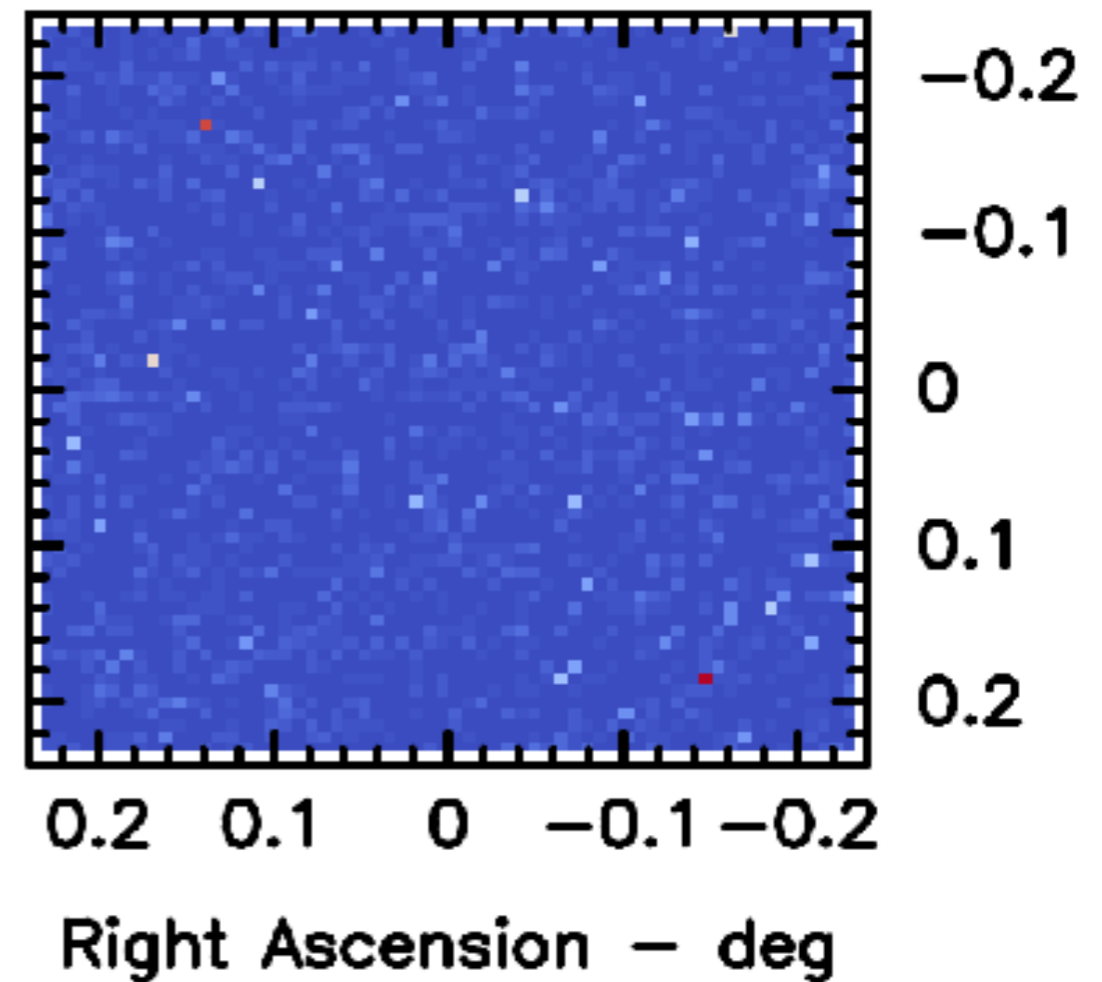
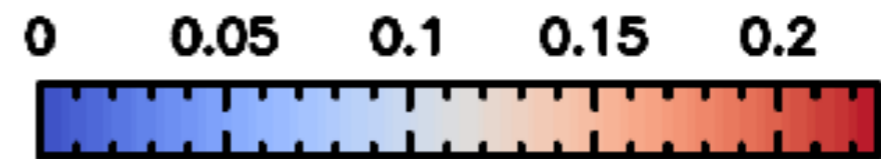
Marthi, 2017  
Marthi et al., 2017

# Instrument and foreground simulations

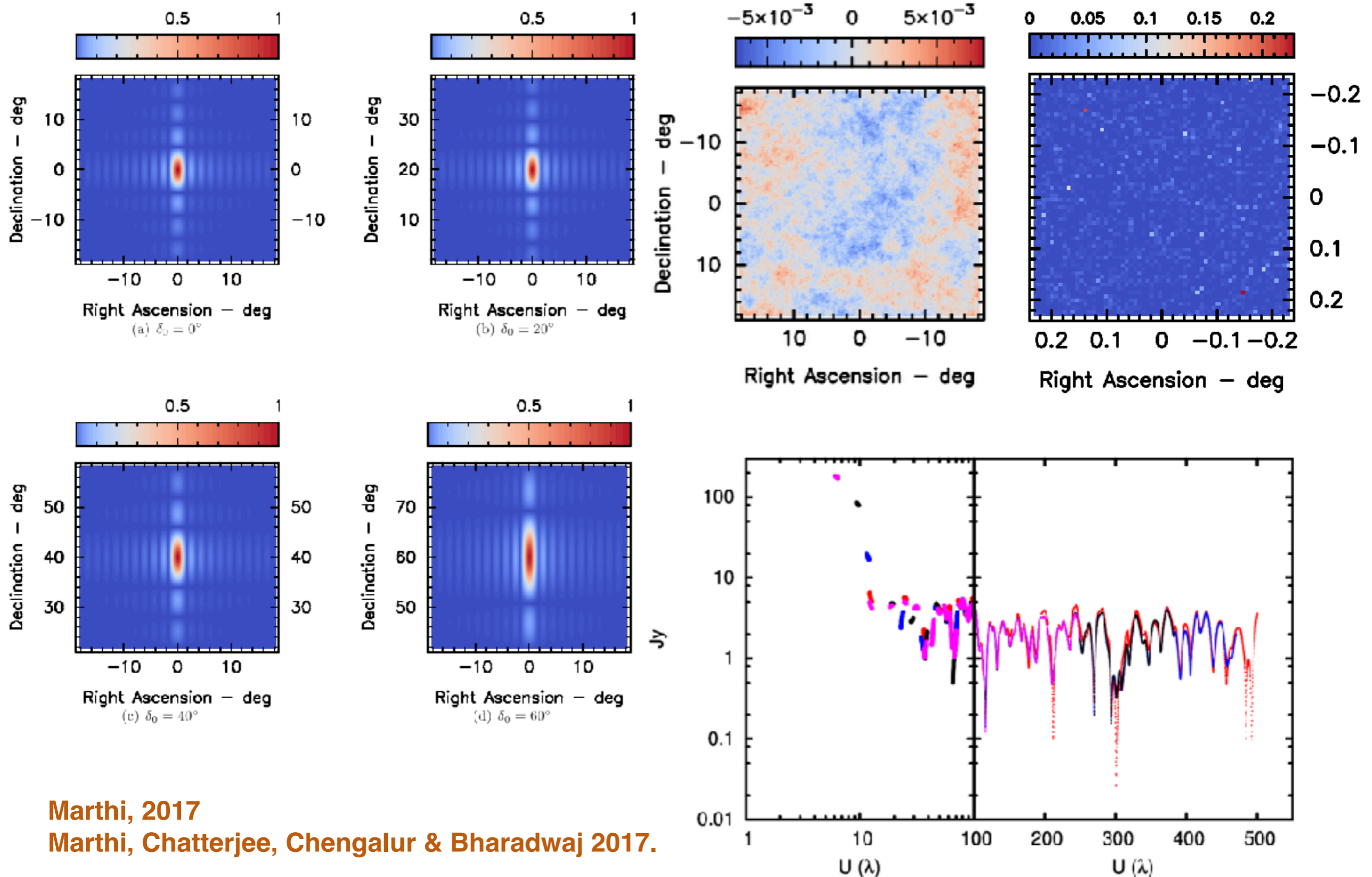
$$C_\ell(\nu) = A_0 \left(\frac{\nu_0}{\nu}\right)^{2\alpha} \left(\frac{\ell_0}{\ell}\right)^\gamma$$



$$C_\ell = C_\ell^{\text{P}} + C_\ell^{\text{cl}}$$



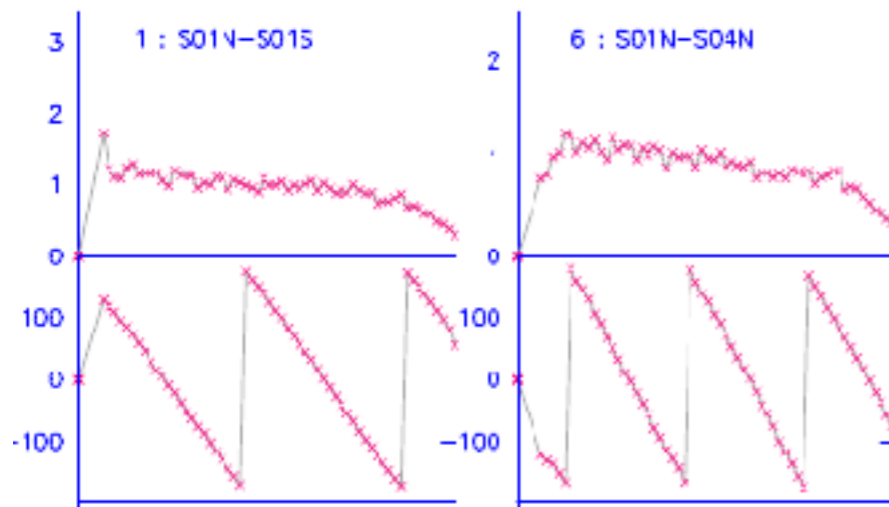
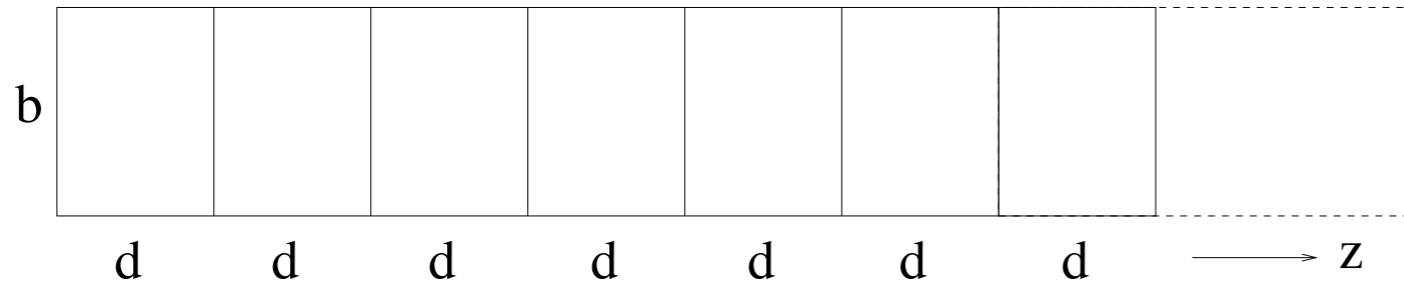
# Instrument and foreground simulations



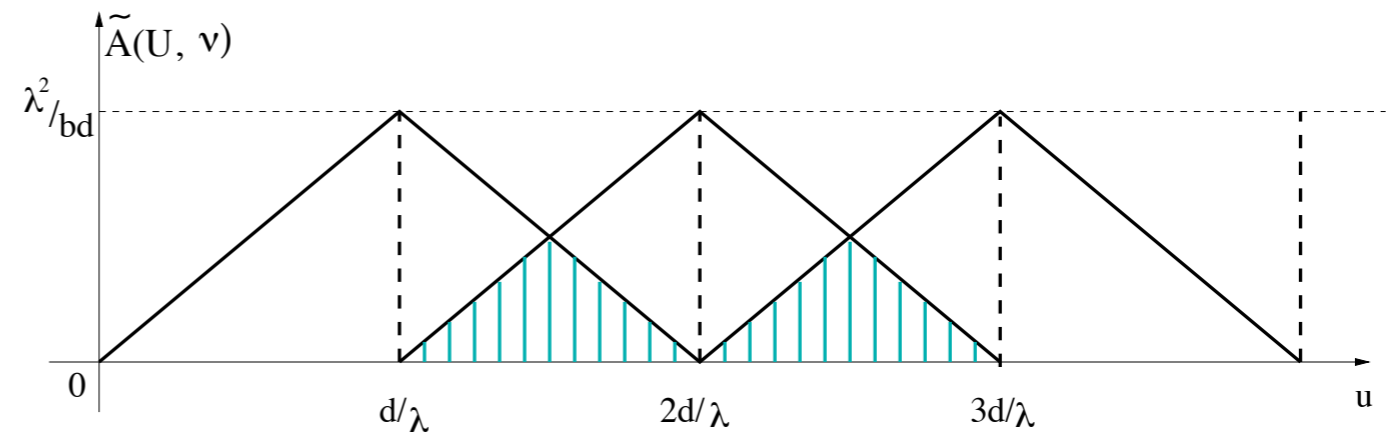
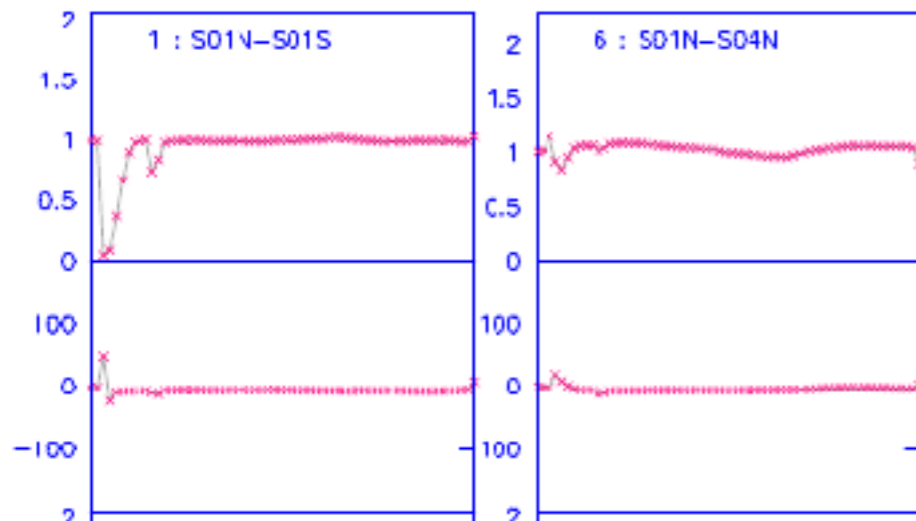
Marthi, 2017

Marthi, Chatterjee, Chengalur & Bharadwaj 2017.

# Redundancy and redundancy calibration



Fast  $N^2$  non-linear solver,  
can run in real time



# Visibility covariance power spectrum estimator

$$\mathbf{S}_2(\mathbf{U}_n, \mathbf{U}_m, \nu_i, \nu_j) \equiv \langle \mathcal{V}(\mathbf{U}_n, \nu_i) \mathcal{V}^*(\mathbf{U}_m, \nu_j) \rangle \quad \text{Datta \& Choudhury 2007}$$

$$\mathbf{S}_2(\mathbf{U}_n, \Delta\nu) = \left( \frac{\partial B}{\partial T} \right)^2 C_\ell(\Delta\nu) \left[ \int d^2\mathbf{U}' |\tilde{A}(\mathbf{U}_n - \mathbf{U}')|^2 \right]$$

$$\mathcal{V}(\mathbf{U}_n, \nu) = \sum_{i=0}^{N_n} \mathcal{V}^{(i)}(\mathbf{U}_n, \nu) \quad \Bigg| \quad \mathcal{V}'(\mathbf{U}_n, \nu) = \sum_{i=0}^{N_n} |\mathcal{V}^{(i)}(\mathbf{U}_n, \nu)|^2$$

$$\mathbf{S}_2(\mathbf{U}_n, \nu_i, \nu_j) = \frac{\mathcal{V}(\mathbf{U}_n, \nu_i) \mathcal{V}^*(\mathbf{U}_n, \nu_j) - \delta_{ij} \mathcal{V}'(\mathbf{U}_n, \nu_i)}{N_n^2 - \delta_{ij} N_n}$$

Marthi, Chatterjee, Chengalur & Bharadwaj 2017.

## Phase-I

Antennas : 40

Unique baselines : 39

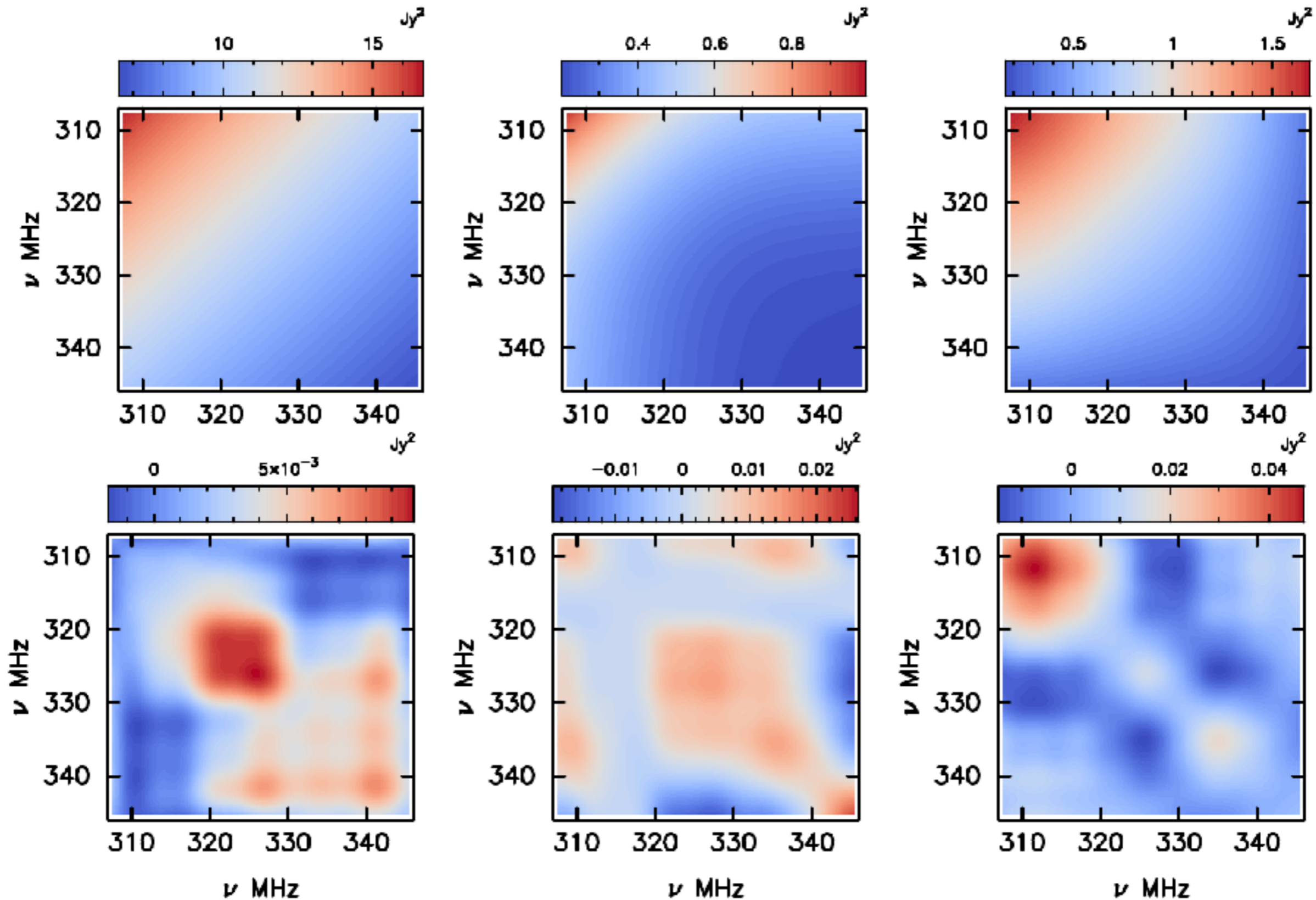
Baselines : 780

Channels : 312

One Hermitian product per baseline, each 312 X 312.

# Visibility covariance power spectrum estimator

Marthi, Chatterjee, Chengalur & Bharadwaj, 2017

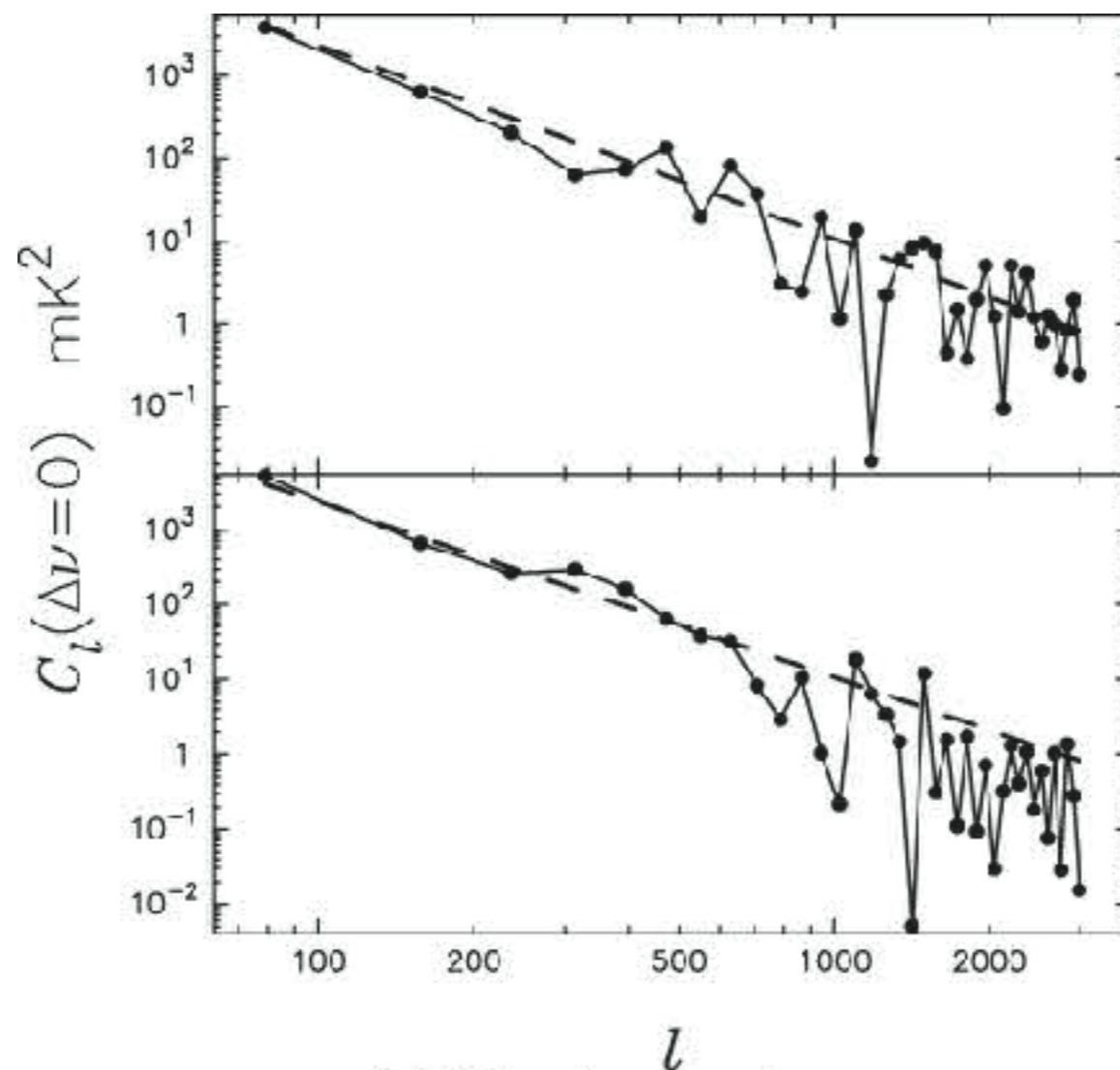




# Multifrequency Angular Power Spectrum

Marthi, Chatterjee, Chengalur & Bharadwaj, 2017

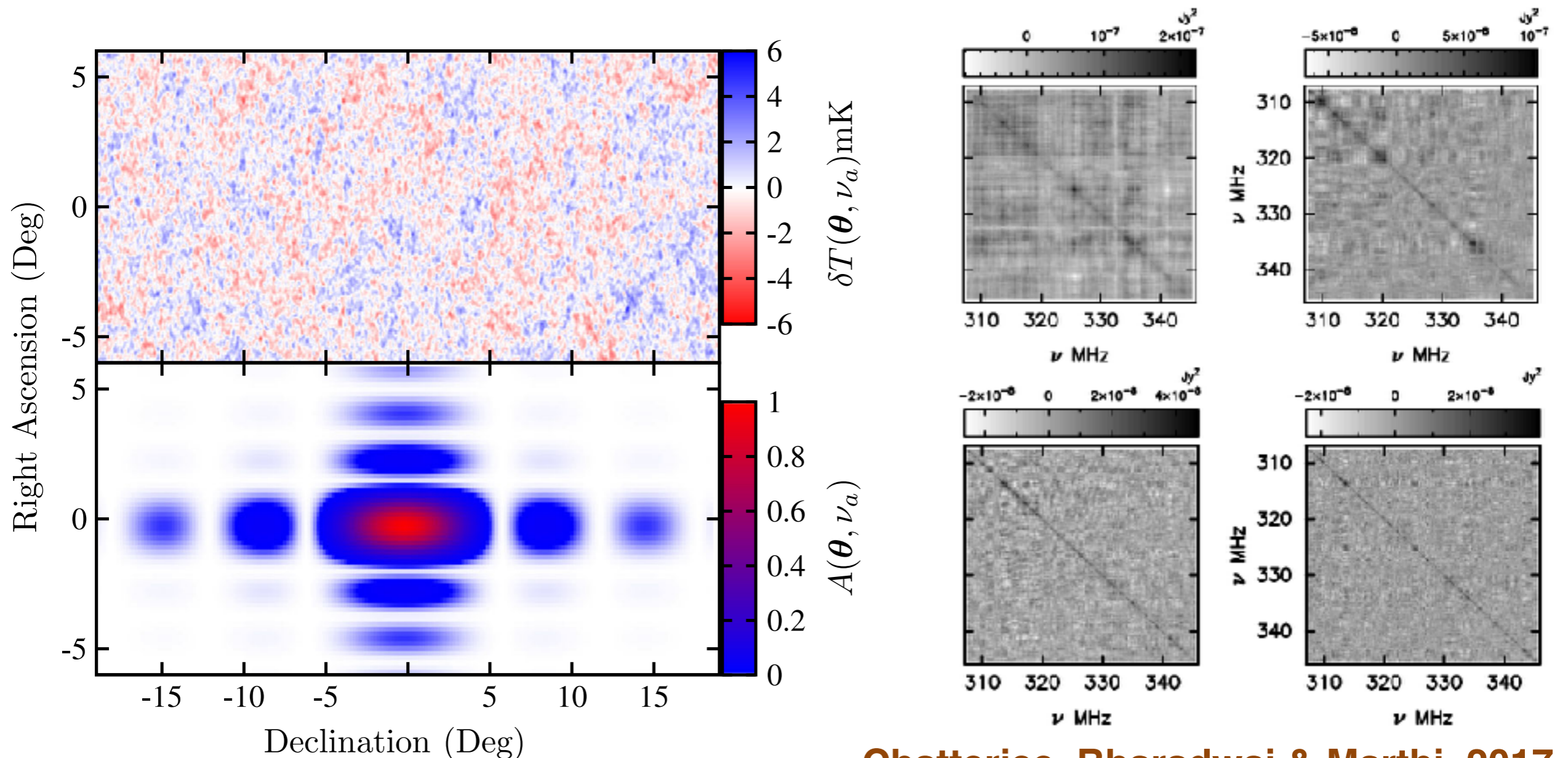
$$\mathbf{S}_2(\mathbf{U}_n, \Delta\nu) = \left(\frac{\partial B}{\partial T}\right)^2 C_\ell(\Delta\nu) \left[ \int d^2\mathbf{U}' |\tilde{A}(\mathbf{U}_n - \mathbf{U}')|^2 \right]$$



# The HI signal

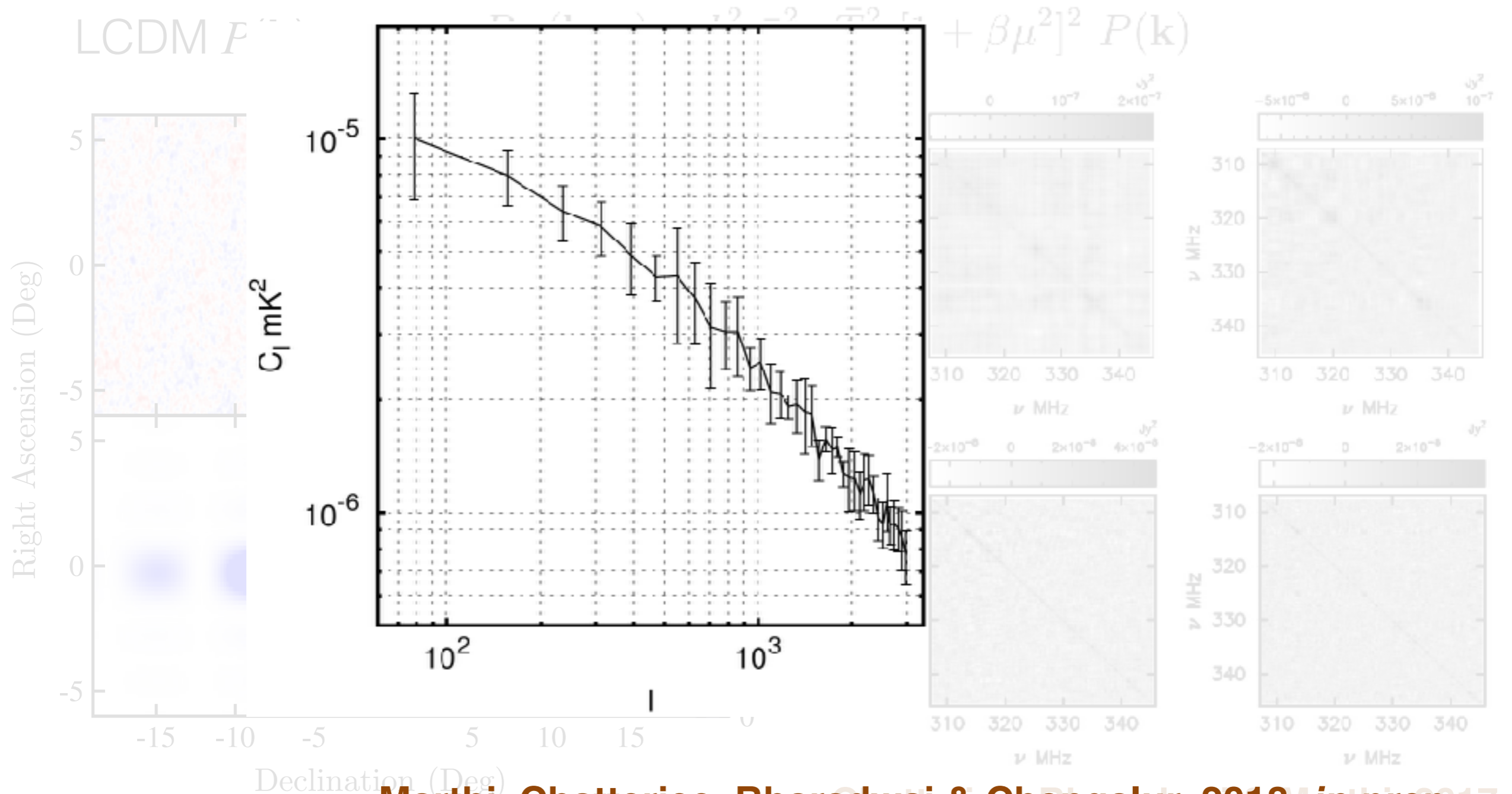
$$\bar{T}(z) = 4.0 (1+z)^2 \left( \frac{\Omega_b h^2}{0.024} \right) \left( \frac{0.7}{h} \right) \left( \frac{H_0}{H(z)} \right) \text{ mK}$$

$$\text{LCDM } P(\mathbf{k}) \longrightarrow P_{\text{HI}}(\mathbf{k}, \mu) = b^2 \bar{x}_{\text{HI}}^2 \bar{T}^2 [1 + \beta \mu^2]^2 P(\mathbf{k})$$

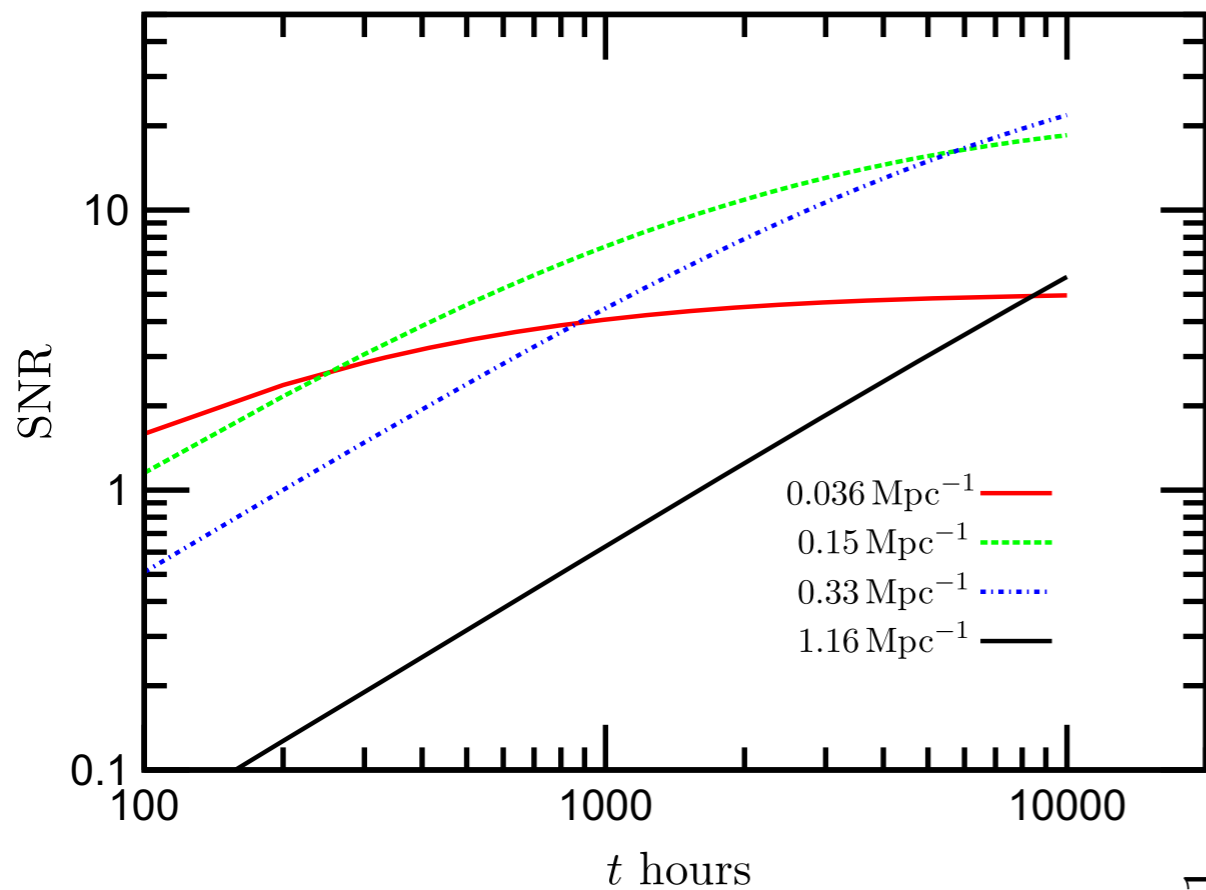


# The HI signal

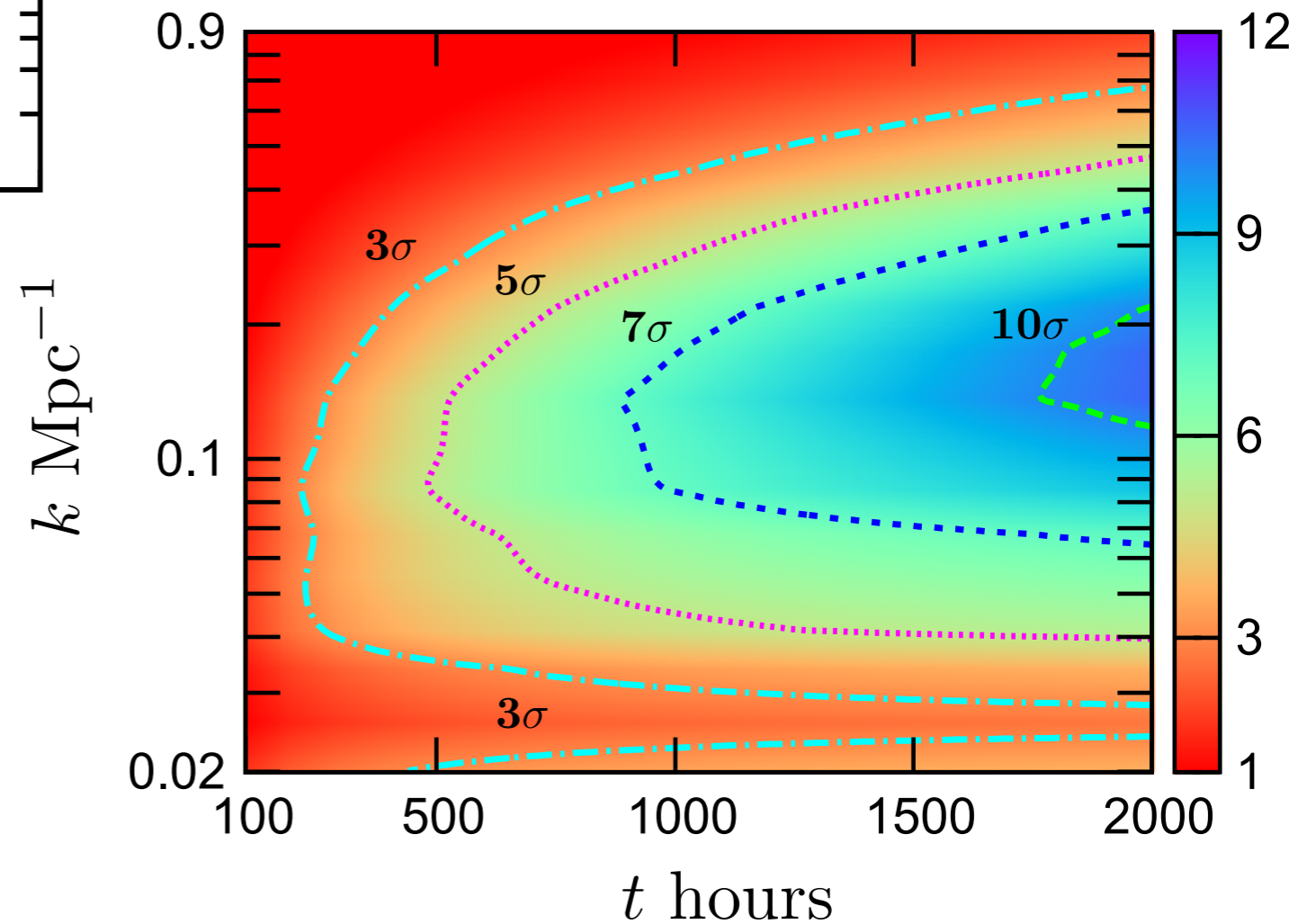
Prediction for  $C_l(\Delta \nu=0)$  considering the instrument response



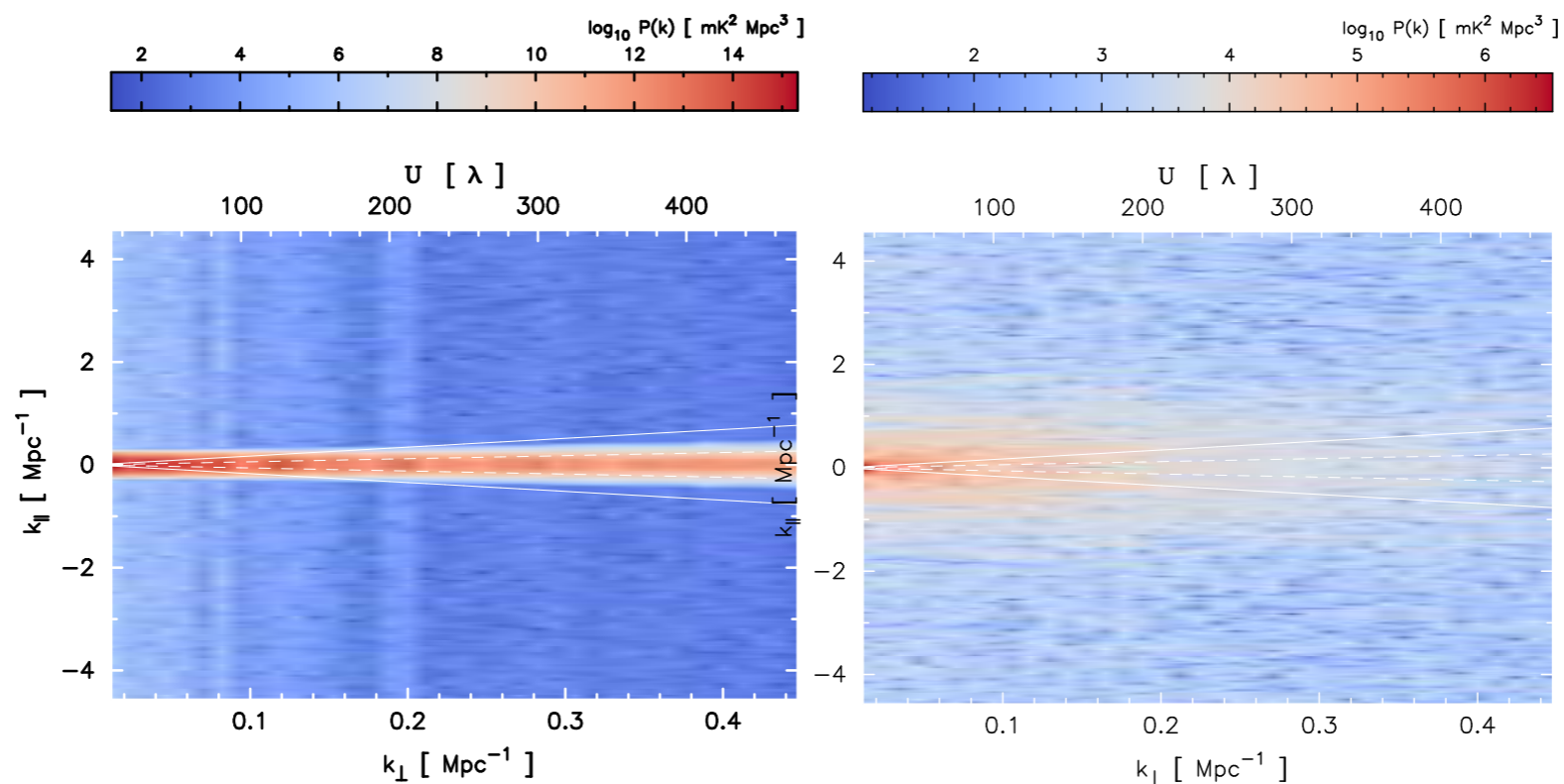
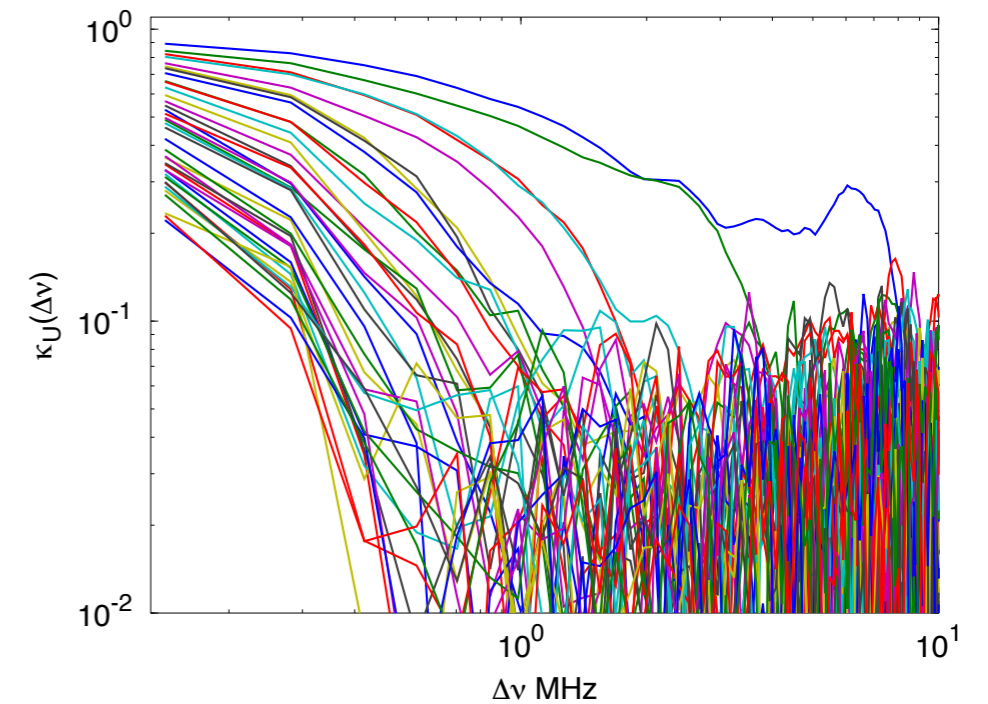
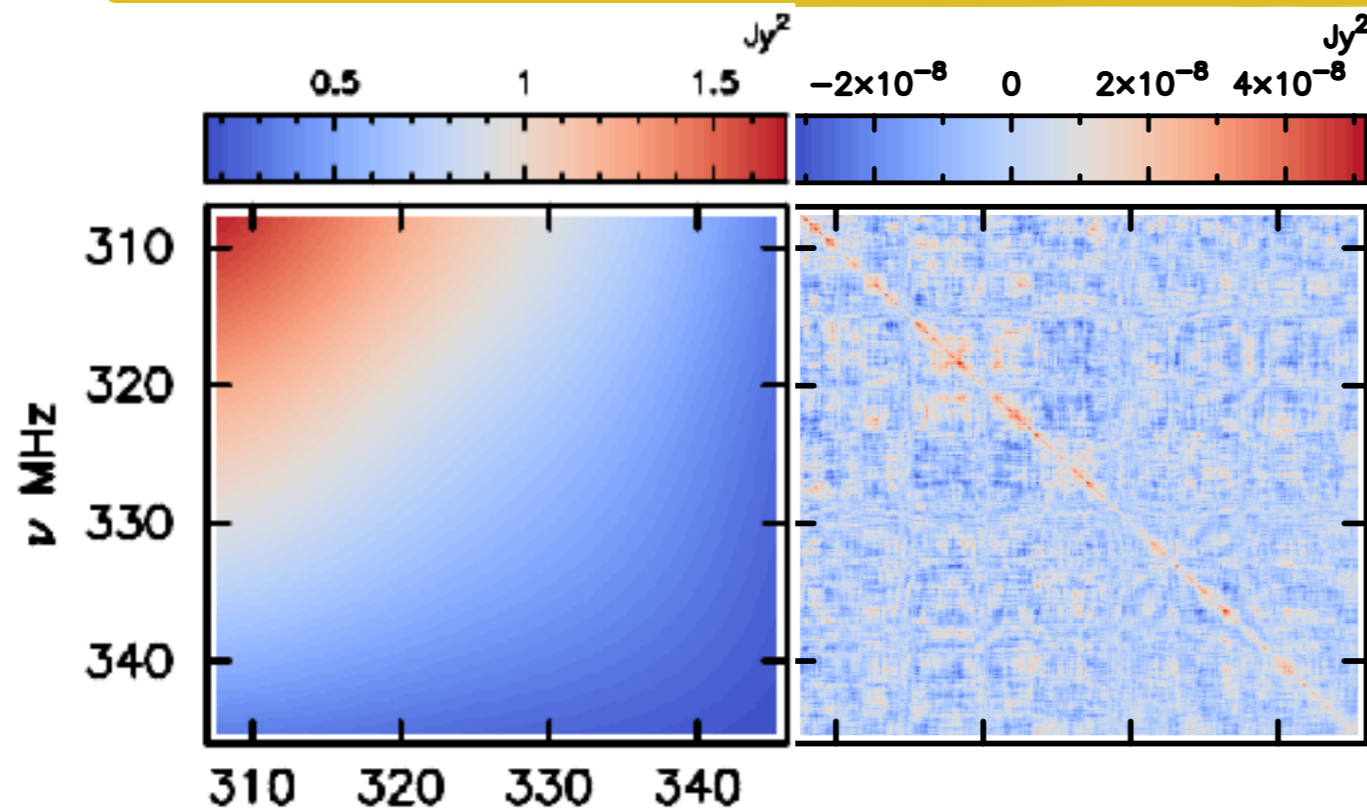
# Forecast for HI detectability



Sarkar, Bharadwaj & Ali 2017



# Signal-foreground separation



# Summary

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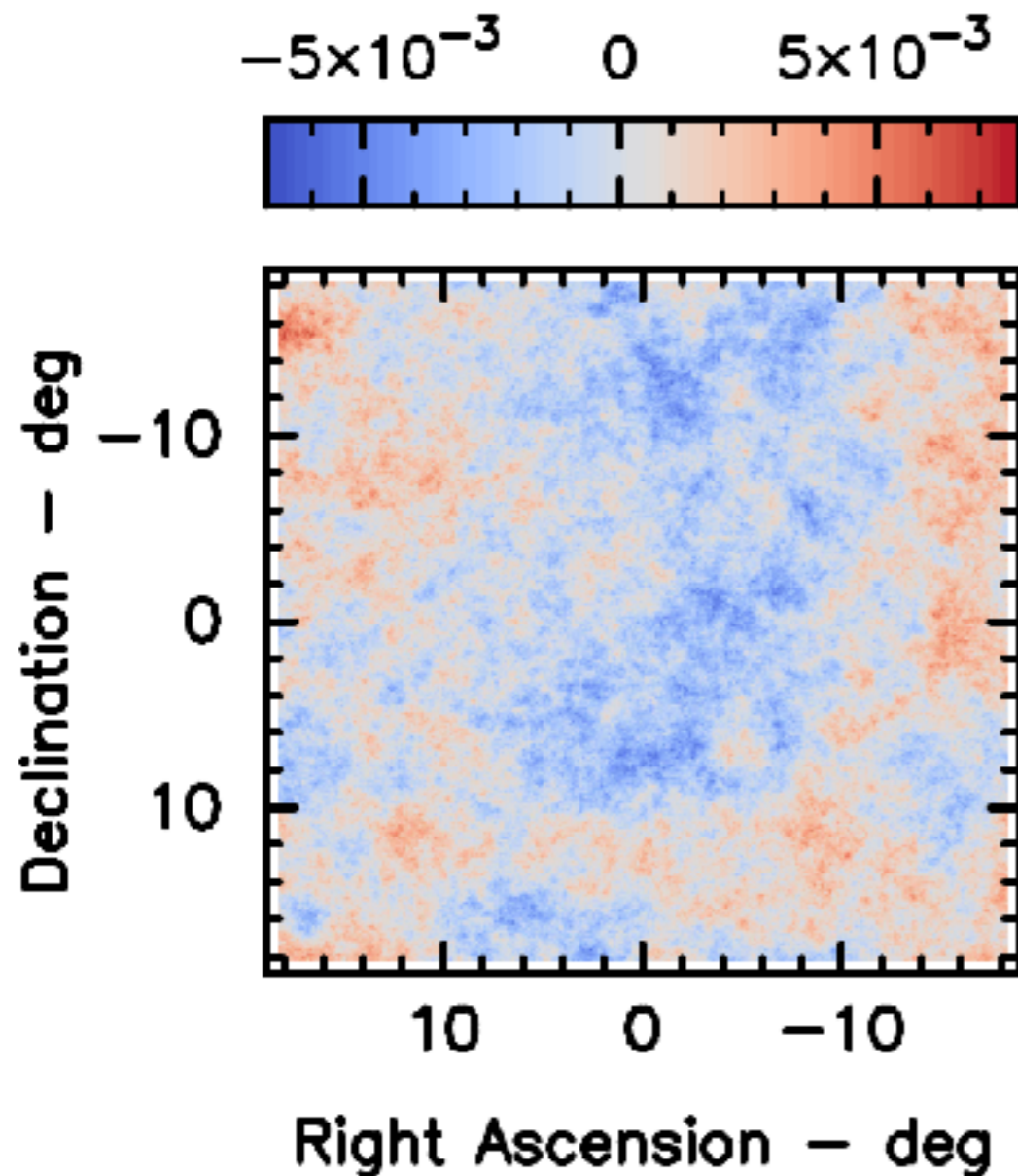
- ◆ OWFA is upgraded ORT - new flexible backend
- ◆ Transients and FRB searches - large FoV
- ◆  $z=3.3$  is interesting, accessible to OWFA
- ◆ Visibility-based power spectrum estimation
- ◆ Polarization is unknown territory
- ◆ Transit / tracking observations
- ◆ Full-spec correlator ready, to be deployed, testing in progress

# Instrument and foreground simulations

$$C_\ell(\nu) = A_0 \left(\frac{\nu_0}{\nu}\right)^{2\alpha} \left(\frac{\ell_0}{\ell}\right)^\gamma$$

$$C_\ell = 513 \text{ mK}^2 \times \left(\frac{150}{326.5}\right)^{2 \times 2.54} \left(\frac{1000}{\ell}\right)^{2.34}$$

Ghosh et al., 2012, Rogers & Bowman., 2008

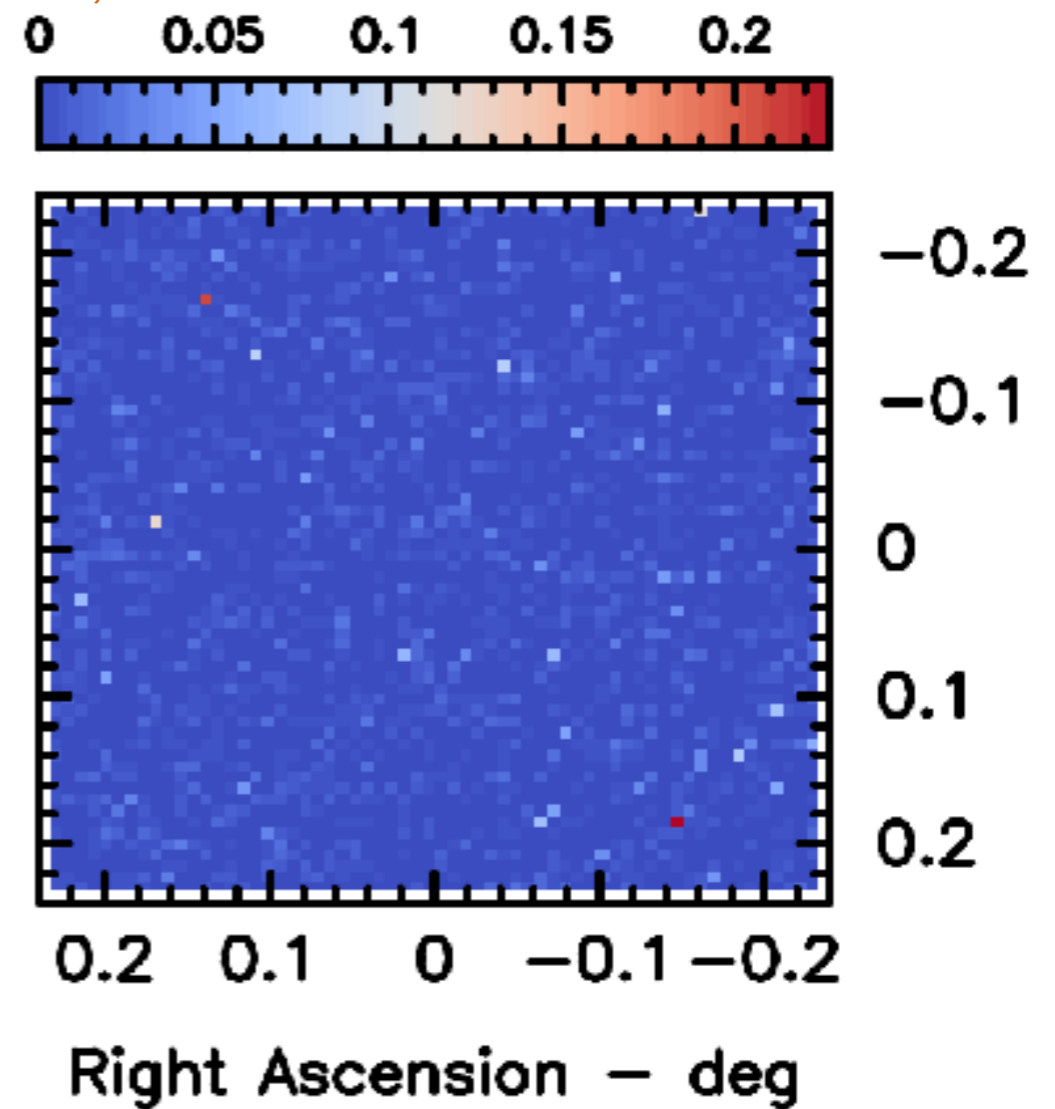


$$C_\ell = C_\ell^{\text{P}} + C_\ell^{\text{cl}}$$

$$C_\ell^{\text{cl}} = 0.88 \times \frac{2\pi}{\theta_0^{-\beta}} \left(\frac{\partial B}{\partial T}\right)^{-2} \left[ \int_0^{S_c} S \frac{dN}{dS} dS \right]^2 \ell^{\beta-2}$$

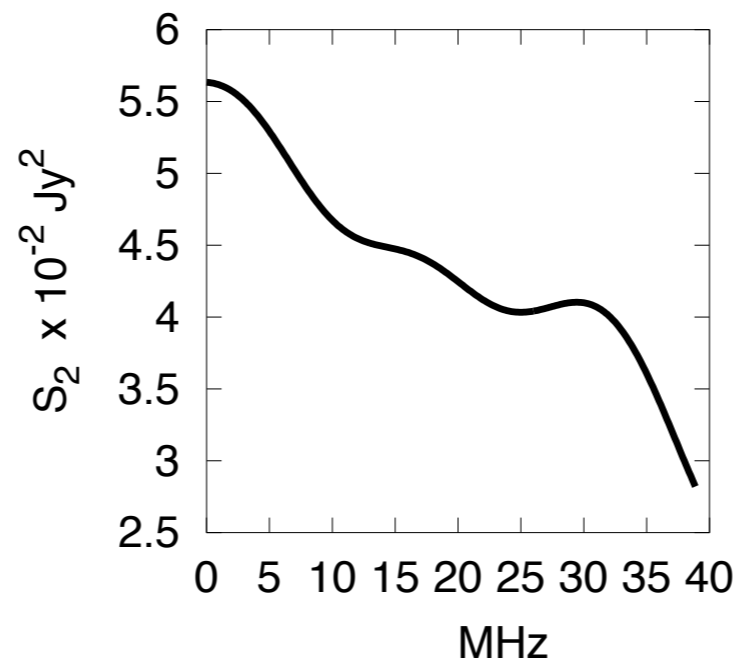
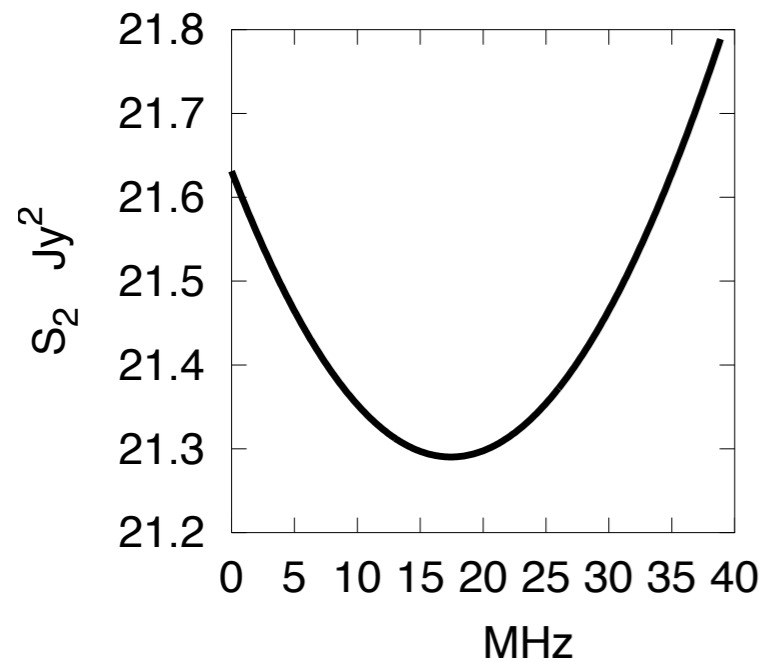
$$C_\ell^{\text{P}} = \left(\frac{\partial B}{\partial T}\right)^2 \left[ \int_0^{S_c} S^2 \frac{dN}{dS} dS \right]$$

Ali & Bharadwaj 2014, Owen & Morrison 2008,  
Sirothia et al., 2009



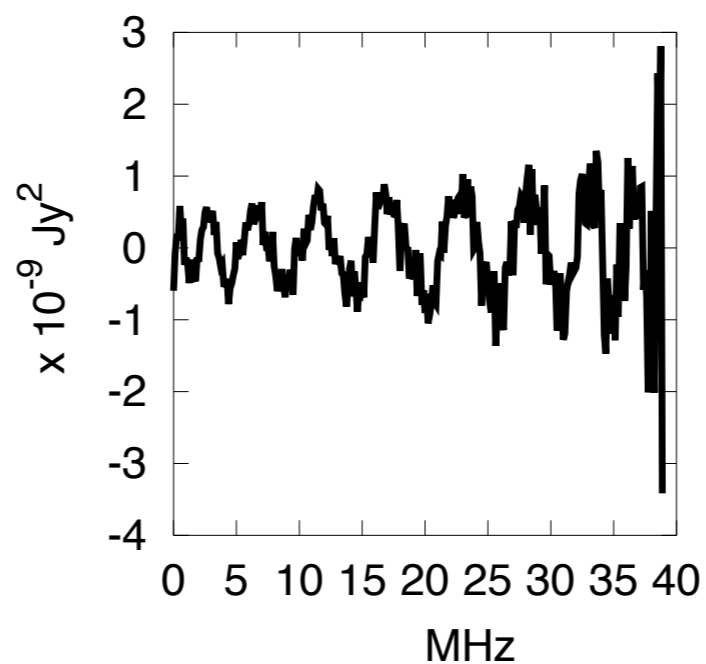
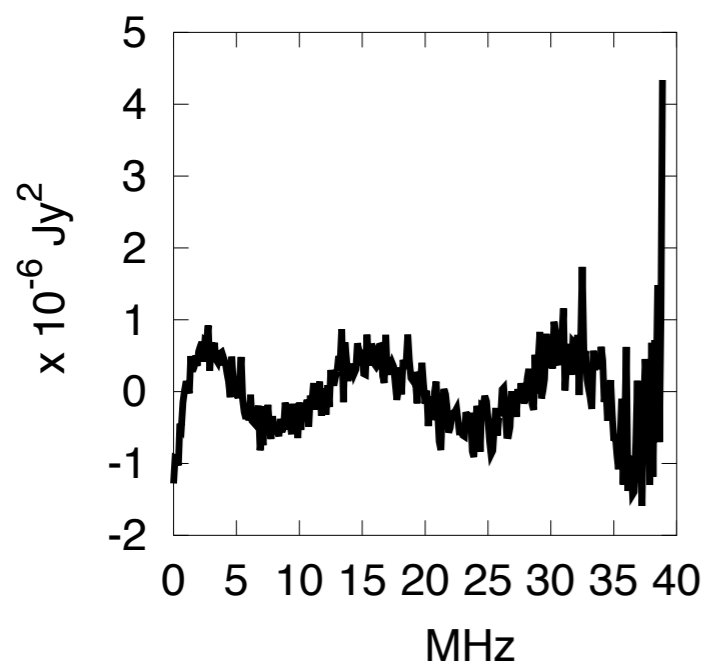
# Chromatic systematics

$$S_2(\mathbf{U}_n, \nu_i, \nu_j) \sim |\mathbf{I}(\boldsymbol{\theta}, \nu_0)|^2 |\mathbf{A}(\boldsymbol{\theta}, \nu_0)|^2 e^{-i2\pi m \left(\frac{nd}{\lambda_0}\right) \left(\frac{\nu_i - \nu_j}{\nu_0}\right)}$$



$$|\mathbf{I}(\boldsymbol{\theta}, \nu_0)|^2 = \mathbf{I}(\boldsymbol{\theta}, \nu_i) \mathbf{I}^*(\boldsymbol{\theta}, \nu_j)$$

$$|\mathbf{A}(\boldsymbol{\theta}, \nu_0)|^2 = \mathbf{A}(\boldsymbol{\theta}, \nu_i) \mathbf{A}^*(\boldsymbol{\theta}, \nu_j)$$





# Chromatic systematics

